

# MIMAC

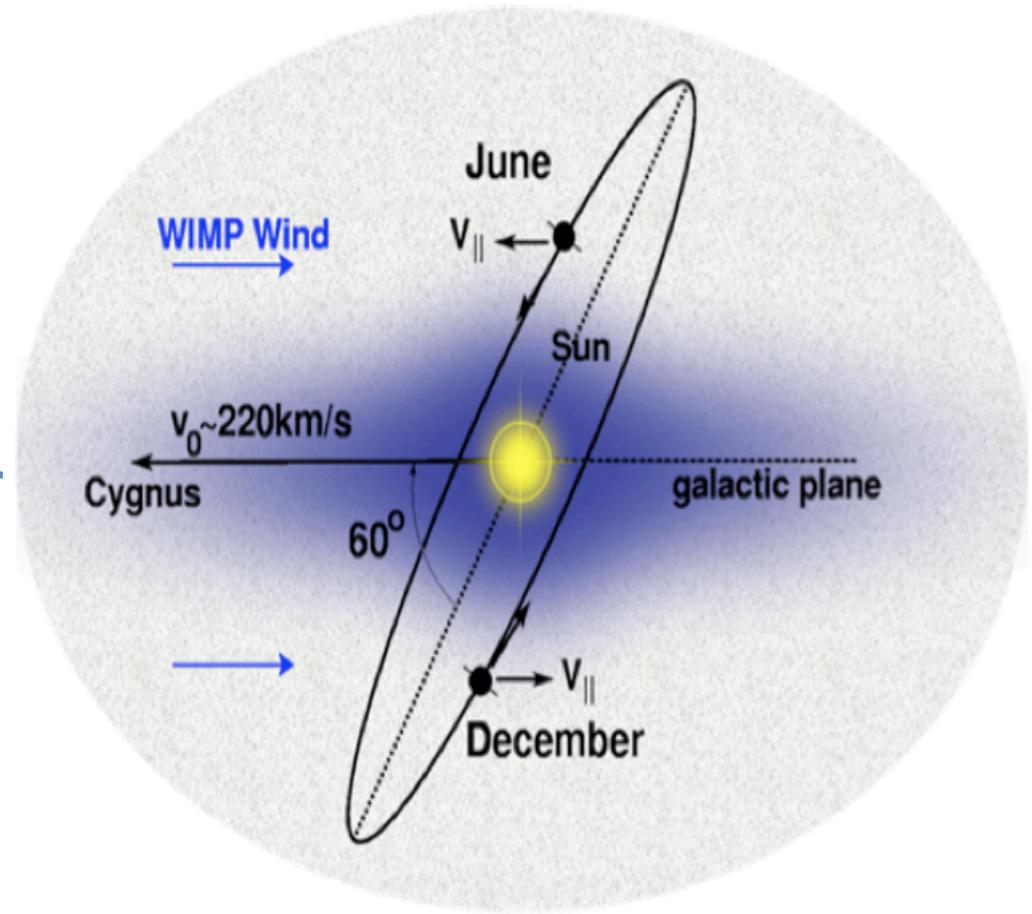
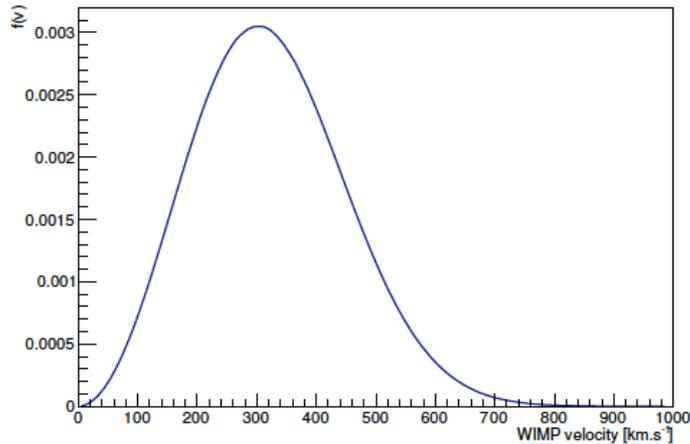
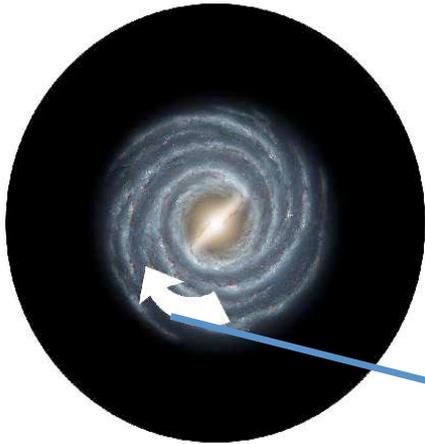
(MIcro-tpc MAtrix of Chambers)  
**searching for Axion-Like Particles (ALPs)  
and opening the possibility for directional DM**

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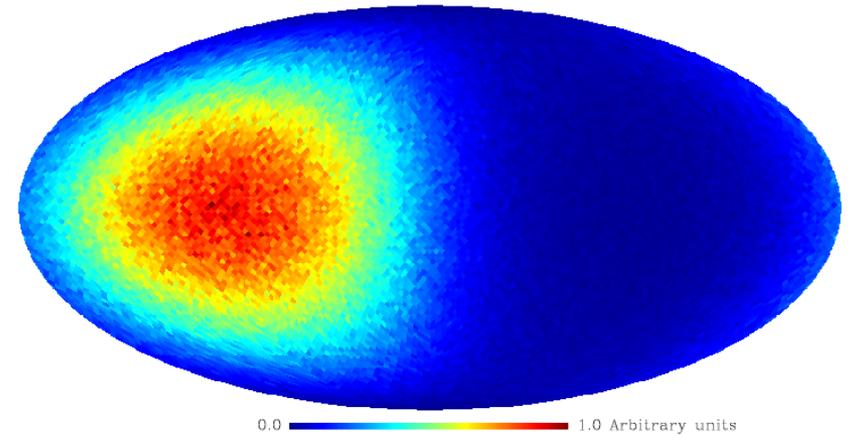
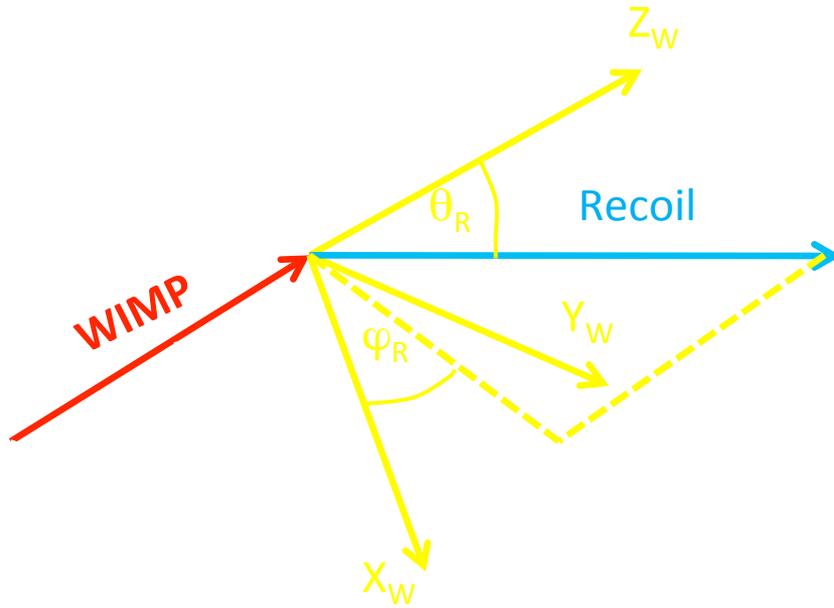
\* Universidad de Granada, Spain

# Directional detection: principle



**The signature able to correlate the rare events in a detector to the galactic halo !!**

**There are many possible “angles” for nuclear recoils... it’s an angular distribution  
3D tracks are needed...**

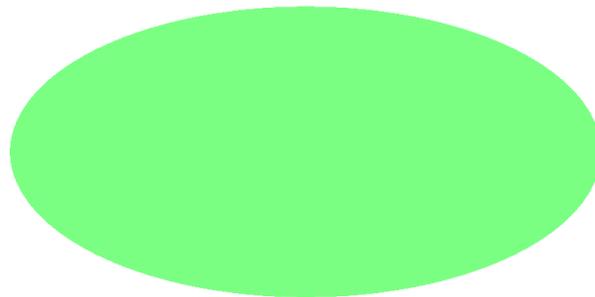


*Map of recoils in galactic coordinates (HealPix)*

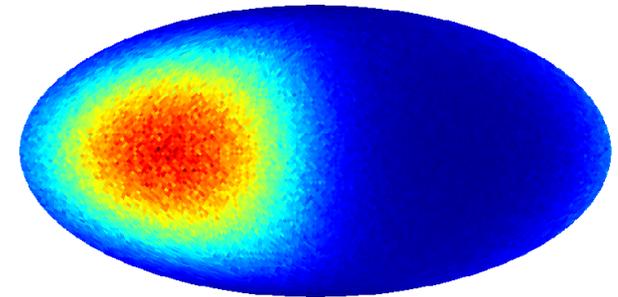
$10^8$  Events with  $E_R = [5, 50]$  keV

# Robust with respect to Background events

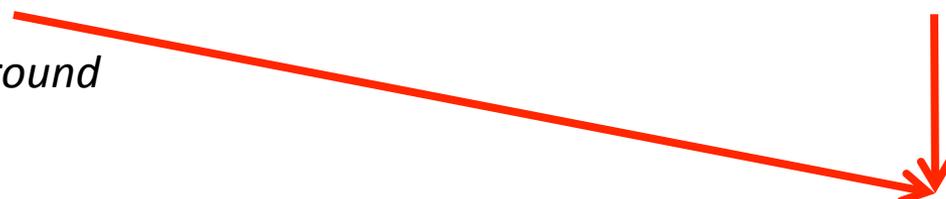
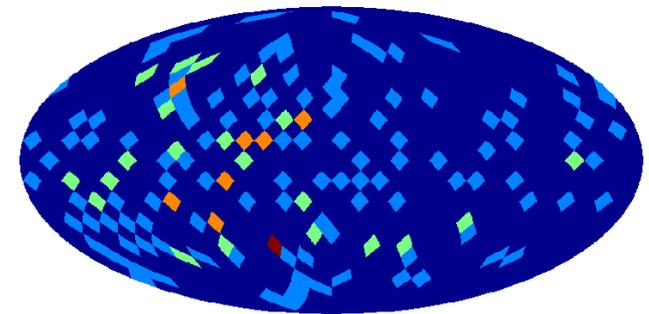
100 WIMP evts + 100 Background evts



*Background*



*Wimp recoils*

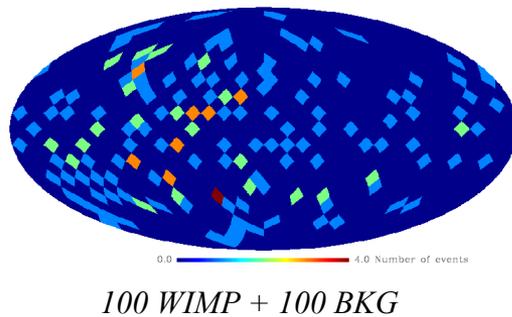


# Phenomenology: **Discovery**

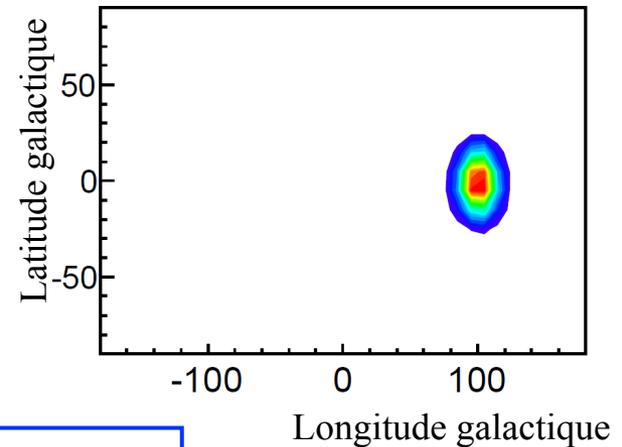
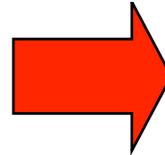
J. Billard *et al.*, PLB 2010  
J. Billard *et al.*, arXiv:1110.6079

Proof of discovery: **Signal pointing toward the Cygnus constellation**

**Blind likelihood analysis in order to establish the galactic origin of the signal**

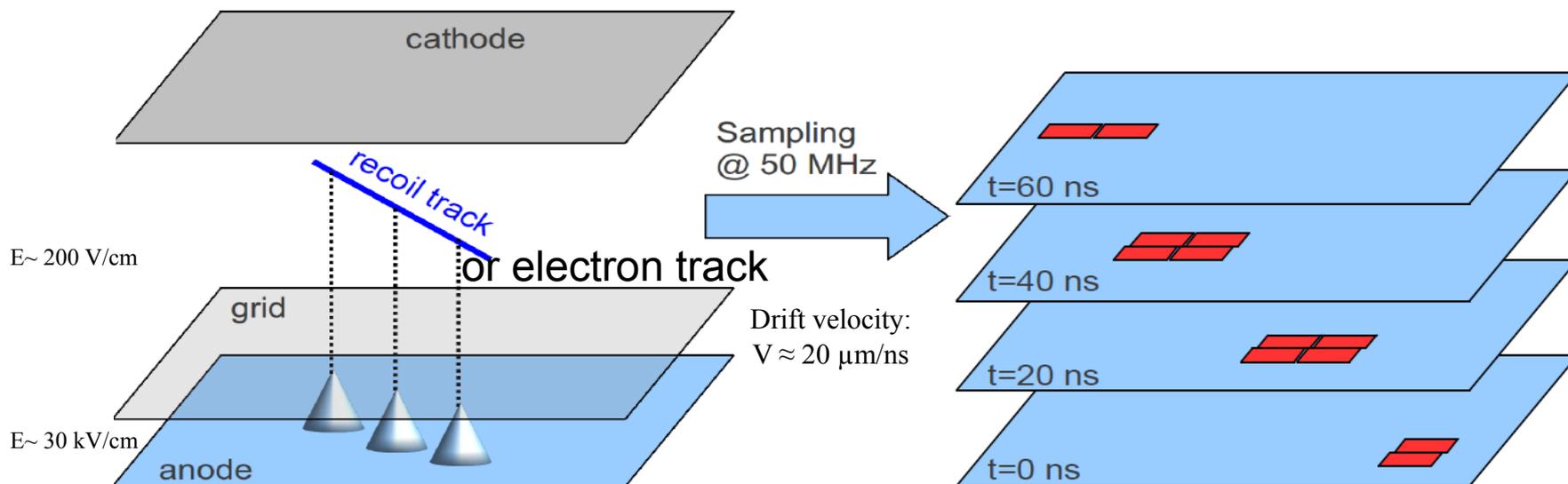


$$\mathcal{L}(\ell, b, m_\chi, \lambda)$$



**Strong correlation** with the direction of the Constellation Cygnus even with a large background contamination

# MIMAC: Detection strategy



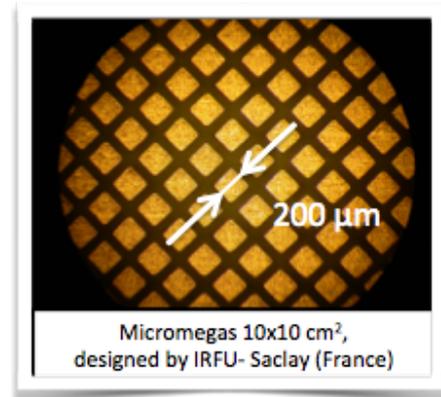
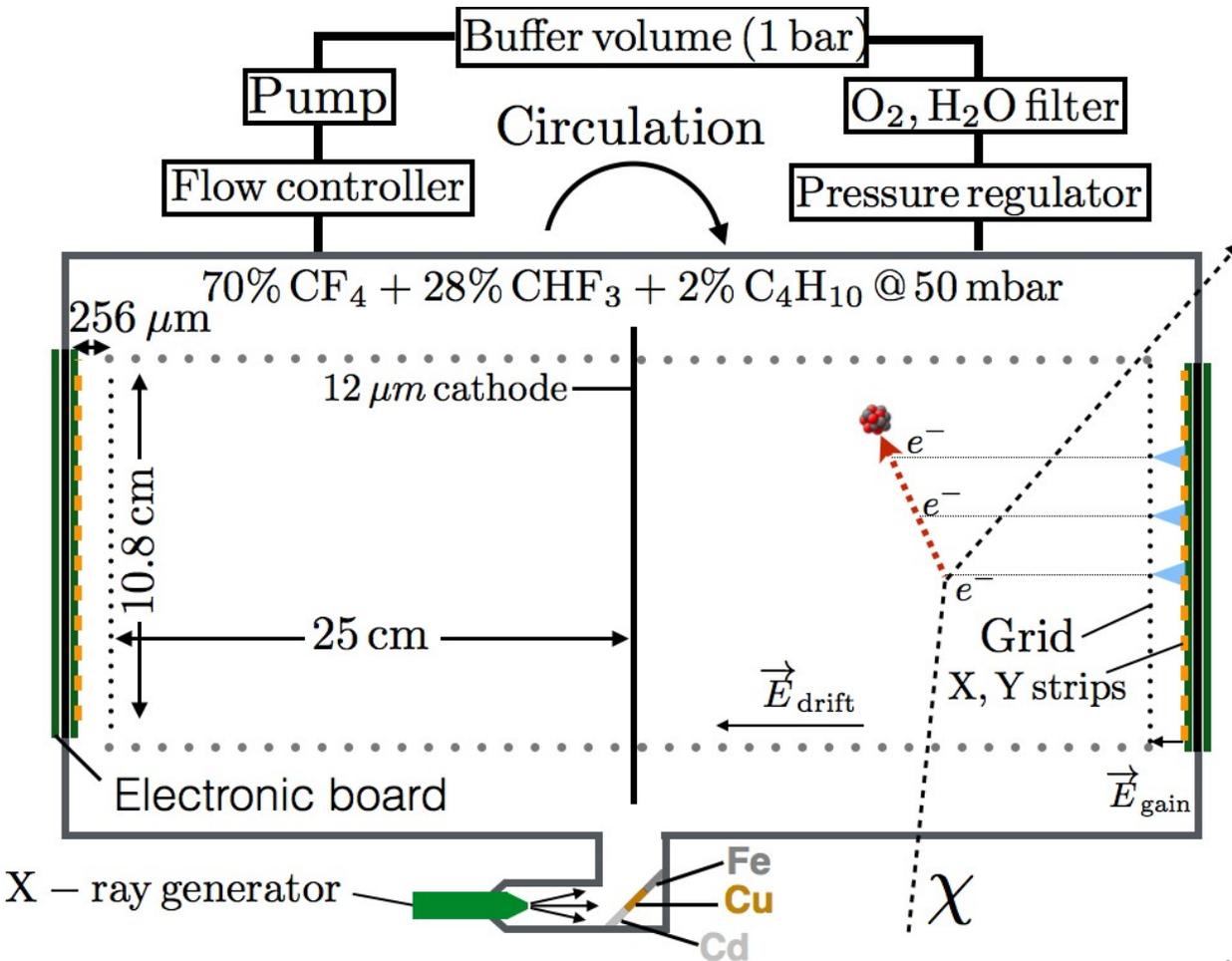
*Scheme of a MIMAC  $\mu$ TPC*

*Evolution of the collected charges on the anode*

## ***Measurement of the ionization energy:***

Charge integrator connected to the mesh coupled to a FADC sampled at 50 MHz

# MIMAC-bi-chamber module prototype



MIMAC Target:  $^{19}\text{F}$

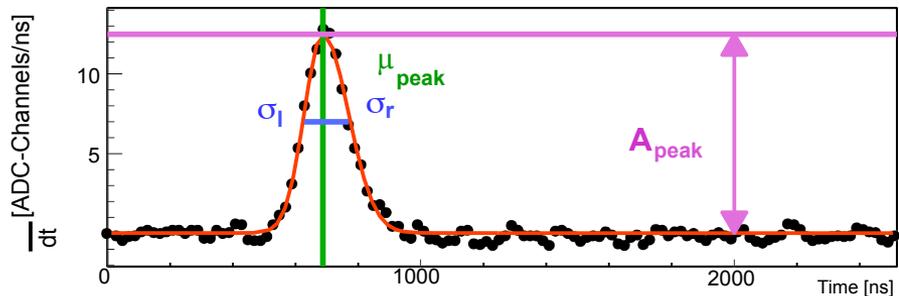
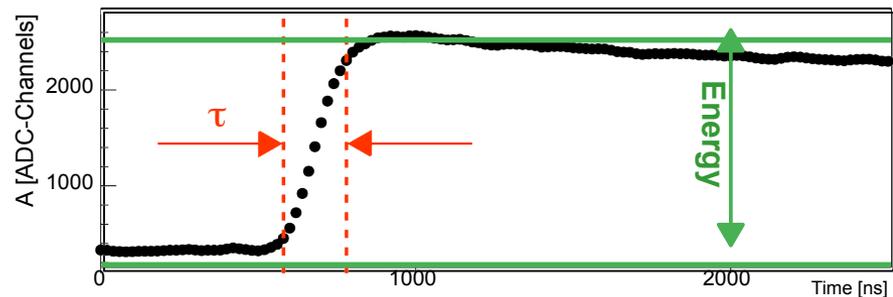
- Light WIMP mass
- Axial coupling

# MIMAC readout

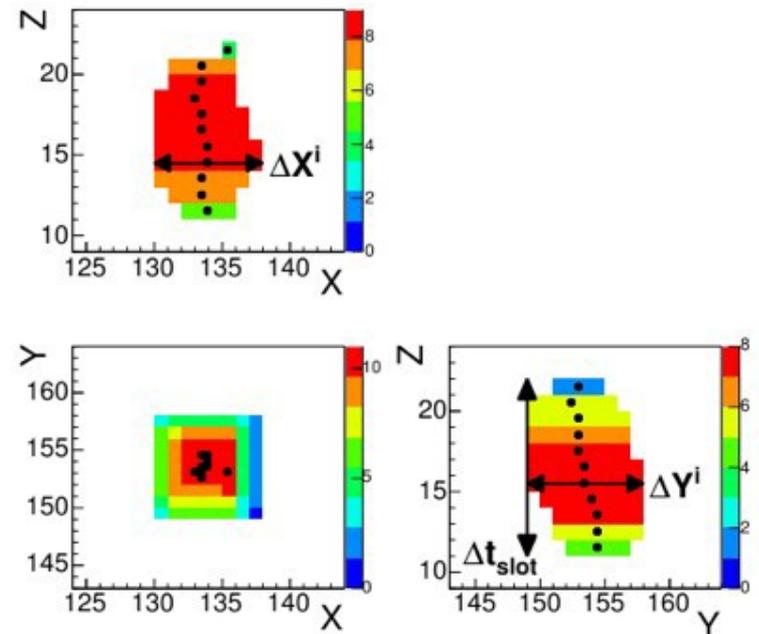


Dedicated fast electronics (self-triggered)  
Based on the MIMAC chip (64 channels)

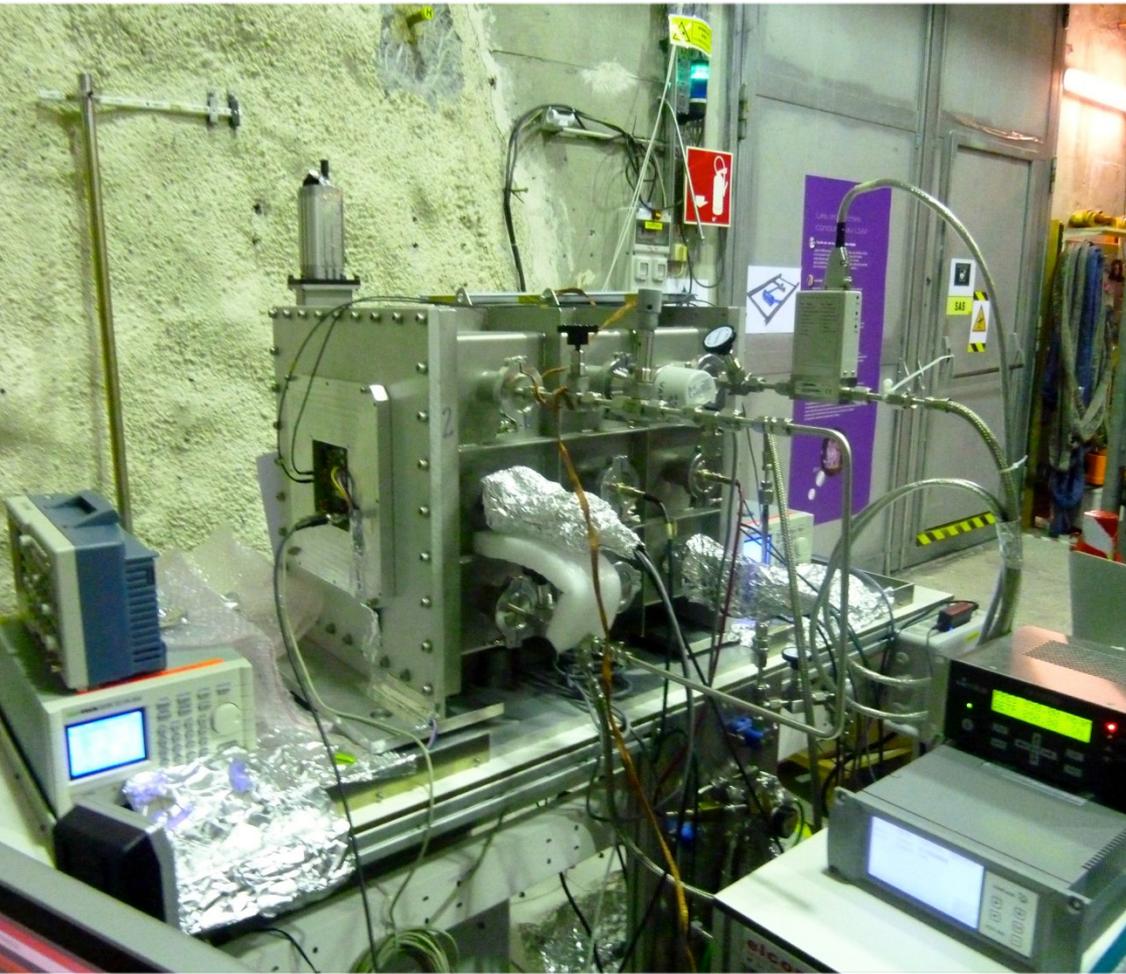
preamplifier signal + FADC: Energy



3D - track



D. Santos (LPSC Grenoble)



**MIMAC (bi-chamber module) at  
Modane Underground Laboratory  
(France)**

- working at 50 mbar  
( $\text{CF}_4 + 28\% \text{CHF}_3 + 2\% \text{C}_4\text{H}_{10}$ )
- in a permanent circulating mode
- Remote controlled  
and commanded
- Calibration control twice per week

Many thanks to LSM staff

# In any case one needs to measure the ionization released by the particles in the active volume

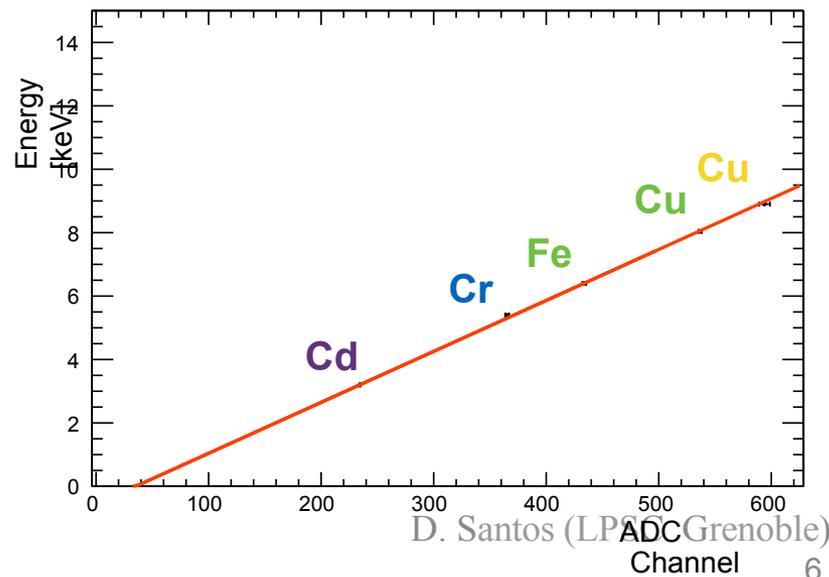
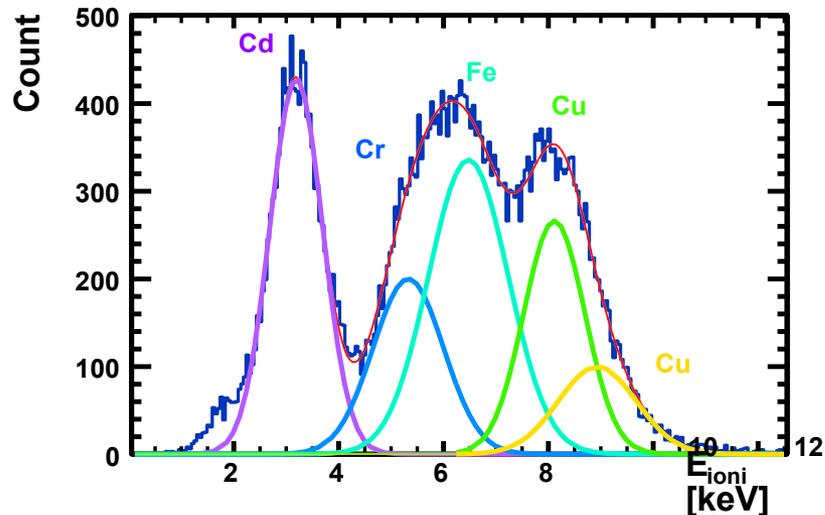
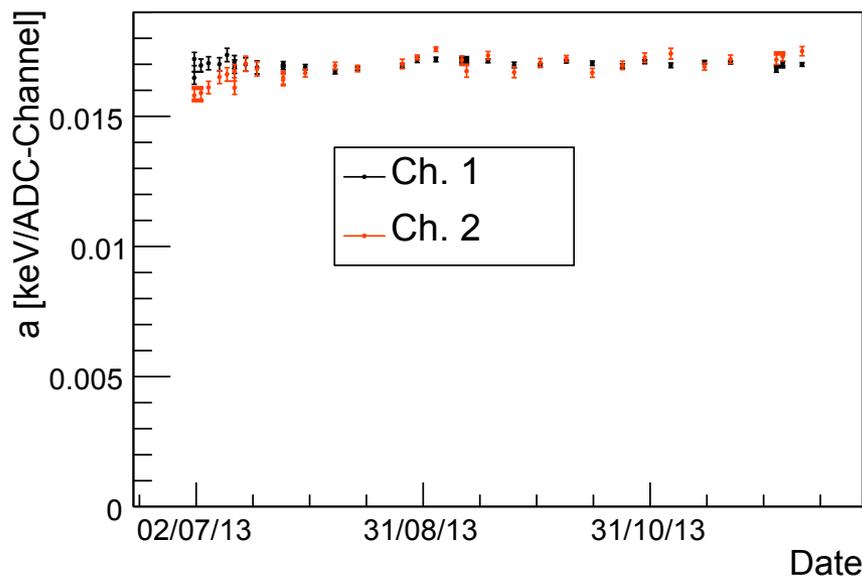
## Example of calibration (MIMAC)

X-ray generator producing fluorescence photons from Cd, Fe, Cu foils.

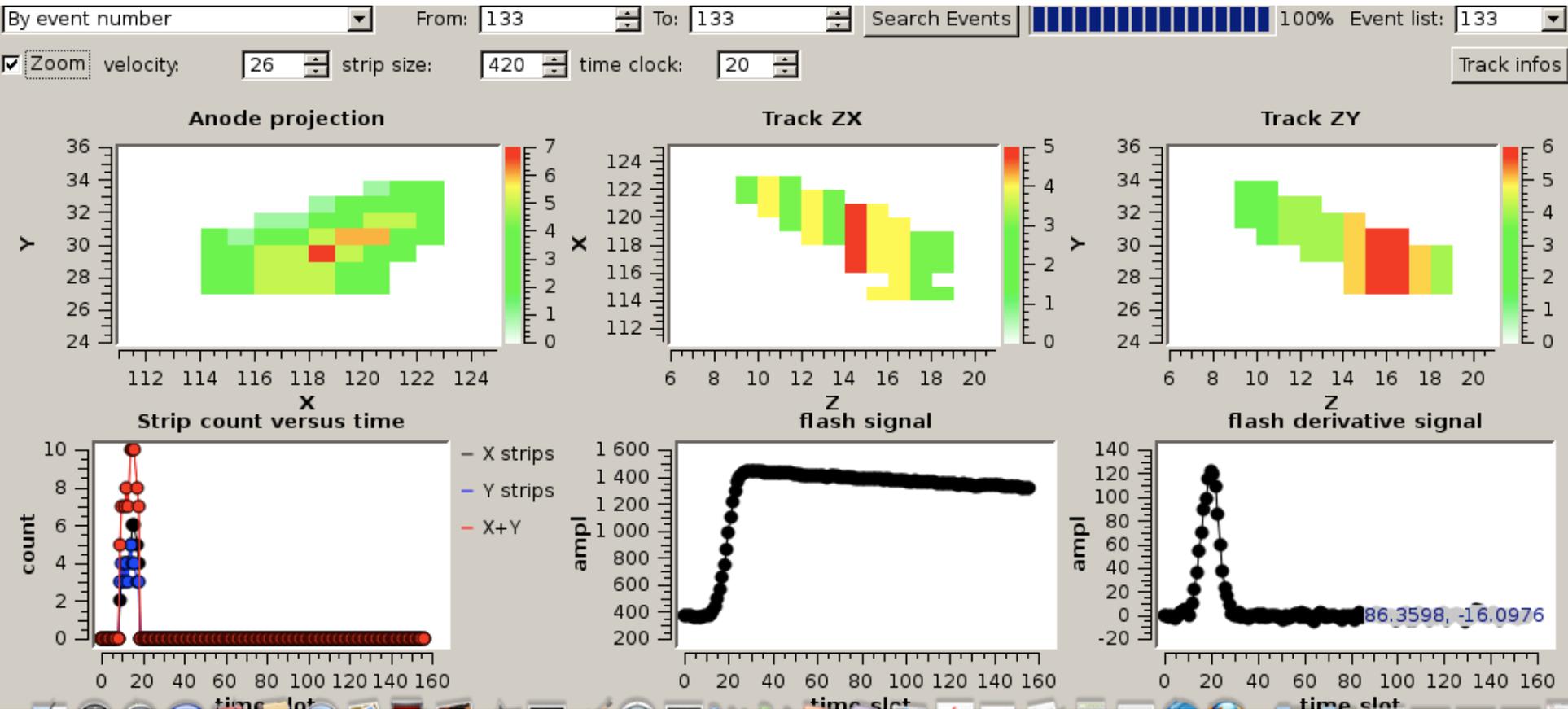
Threshold  $\sim 1$  keV (but not a max. gain !)

## Circulation system:

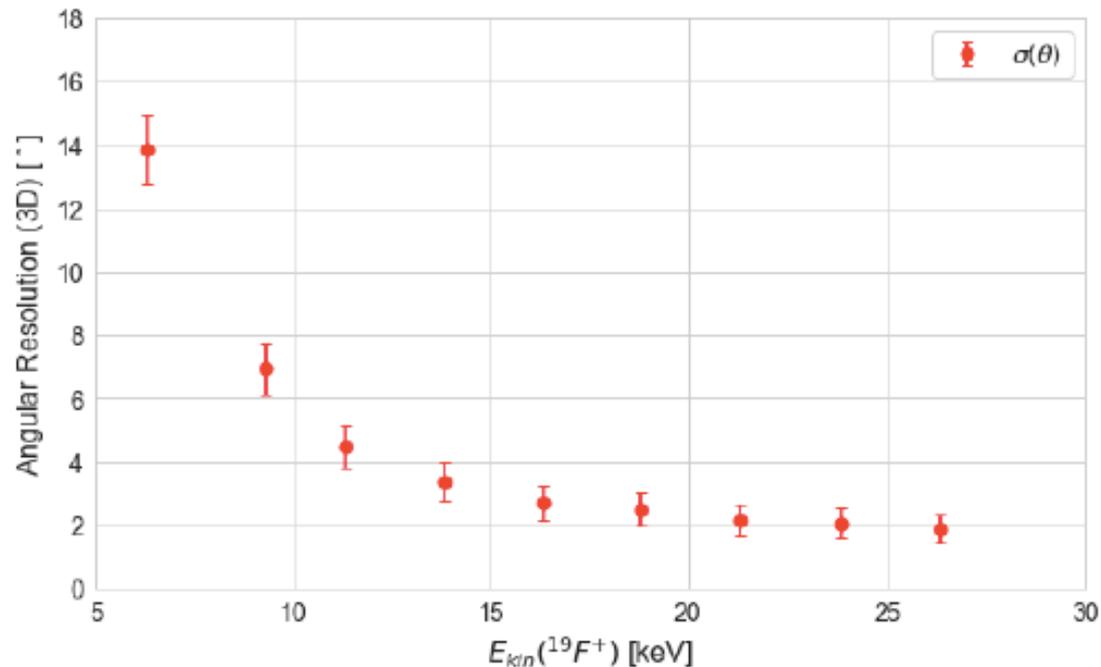
Excellent Gain stability in time



# A “recoil event” ( ~ 34 keVee)



# Angular resolution measured with COMIMAC ( $^{19}\text{F}$ ions at known kinetic energies) (Y. Tao, I. Moric, et al. (arXiv1903.02159))



**Figure 8.** MIMAC angular resolution as a function of  $^{19}\text{F}$  ion kinetic energy. At lower energies, the ion tracks are shorter and have more straggling resulting in worse angular resolution and bigger error bars. The angular resolution is better than  $20^\circ$  down to a kinetic energy of 6.3 keV, and is below  $10^\circ$  for a kinetic energy of 9.3 keV. Error bars are derived from the pixel strips pitch and reconstructed track length as described in the text.

## Standard Axion (QCD axion)

Strong CP problem and AXION :

→ QCD has a CP violation term, —

→ *but this violation is not at all observed !*

→ Global Symmetry Broken  $U(1)_{PQ} \Rightarrow$  axion

Effectif Lagrangian after broken symmetry  $U(1)_{PQ}$  :

$$\begin{aligned}\mathcal{L}^{eff} = & \mathcal{L}_{QCD} + \frac{1}{2}(\partial_\mu a)^2 - \frac{1}{2}m_{PQ}^2 a^2 \\ & + \frac{a}{f_{PQ}} \xi \frac{g_s^2}{32\pi^2} G_a^{\mu\nu} \tilde{G}_{a\mu\nu} + \frac{g_{a\gamma\gamma}}{4} a F^{\mu\nu} \tilde{F}_{\mu\nu}\end{aligned}$$

$$\begin{aligned}\mathcal{L}^{eff} = & \mathcal{L}_{QCD} + \frac{1}{2}(\partial_\mu a)^2 - \frac{1}{2}m_{PQ}^2 a^2 \\ & + \frac{a}{f_{PQ}} \xi \frac{g_s^2}{32\pi^2} G_a^{\mu\nu} \tilde{G}_{a\mu\nu} + \frac{g_{a\gamma\gamma}}{4} a F^{\mu\nu} \tilde{F}_{\mu\nu}\end{aligned}$$

Parameters :

- $f_{PQ}$  : Symmetry broken scale

- $g_{a\gamma\gamma} = \frac{\alpha_{em}}{2\pi f_{PQ}} \left( \frac{E}{N} - 1.92(4) \right)$

$$\frac{E}{N} = \begin{cases} 0 & \text{for KSVZ} \\ \frac{8}{3} & \text{for DFSZ} \end{cases}$$

- $m_{PQ} = 5.70(7) \left( \frac{10^{12} \text{ GeV}}{f_{PQ}} \right) \mu\text{eV}$

- $\tau_{a \rightarrow \gamma\gamma} = \frac{64\pi}{g_{a\gamma\gamma}^2 m_{PQ}^3}$

$$\mathcal{L}^{eff} = \mathcal{L}_{QCD} + \frac{1}{2}(\partial_\mu a)^2 - \frac{1}{2}m_{PQ}^2 a^2 \\ + \frac{a}{f_{PQ}} \xi \frac{g_s^2}{32\pi^2} G_a^{\mu\nu} \tilde{G}_{a\mu\nu} + \frac{g_{a\gamma\gamma}}{4} a F^{\mu\nu} \tilde{F}_{\mu\nu}$$

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Constrains :

- $10^9 \lesssim f_{PQ} \lesssim 10^{12} \text{ GeV}$

- $10^{-5} \lesssim m_{PQ} \lesssim 10^{-2} \text{ eV}$

- $10^{30} \lesssim \tau_{a \rightarrow \gamma\gamma} \lesssim 10^{45} \text{ jours}$

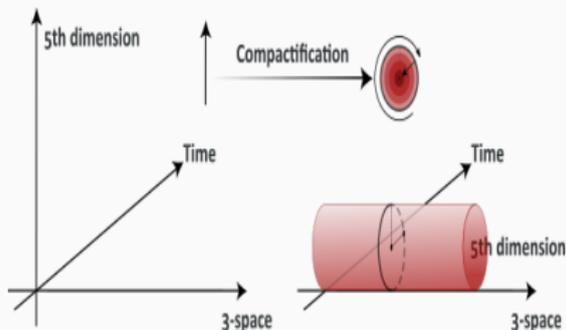
$\Rightarrow$  Dark Matter candidate but  $a \rightarrow \gamma\gamma$

needs an external magnetic field to force the decay...

# Axions in compactified extra-dimensions

## Compactified Spatial Extra-dimensions :

- SM particles confined in  $(1 + 3)D$
- Singlet gage bosons (axion, graviton, ...) can propagate in  $(1 + 3 + \delta)D$  space-time with  $\delta \leq n$  extra dimensions
- Extra-dimensions with a compactification radius  $R < 30 \mu\text{m}$

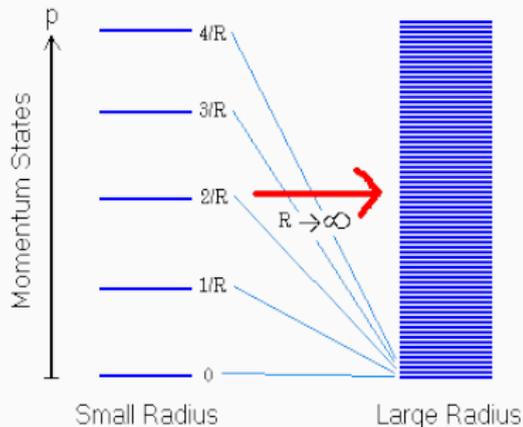


- $M_P = (2\pi R M_S)^{n/2} M_S$   
with  $M_S \sim \mathcal{O}(\text{TeV})$
- $\hat{f}_{PQ} \equiv (2\pi R M_S)^{\delta/2} f_{PQ}$
- $\hat{f}_{PQ} \gg f_{PQ}$

# Axions in extra-dimensions

## KALUZA-KLEIN decomposition:

- $a(x^\mu, \mathbf{y}) = \sum_{\mathbf{n}=0}^{\infty} a_{\mathbf{n}}(x^\mu) \cos\left(\frac{\mathbf{n}\mathbf{y}}{R}\right)$
- In observable space, the axion would be a superposition of KK continuum states



$$\mathcal{L}_{\delta=1}^{eff} \supset \frac{\xi}{f_{PQ}} \frac{g_S^2}{32\pi^2} \left( \sum_{n=0}^{\infty} r_n a_n \right) G_a^{\mu\nu} \tilde{G}_{a\mu\nu}$$

Decay  $a_n \rightarrow \gamma \gamma$  :

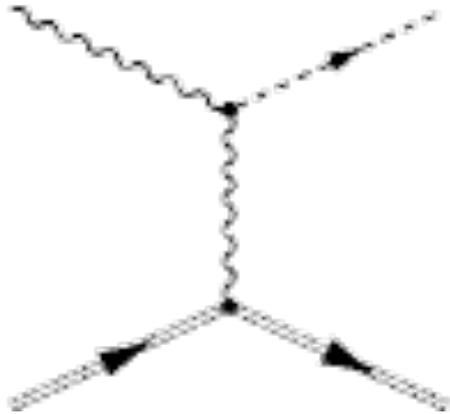
$$\tau(a_n \rightarrow \gamma\gamma) \sim \left( \frac{m_{PQ}}{m_{a_n}} \right)^3 \tau(a_0 \rightarrow \gamma\gamma)$$

- Each KK-axion decay  $\Rightarrow$  continuum
- In the Sun,  $m_{a_n} \sim \mathcal{O}(10 \text{ keV})$

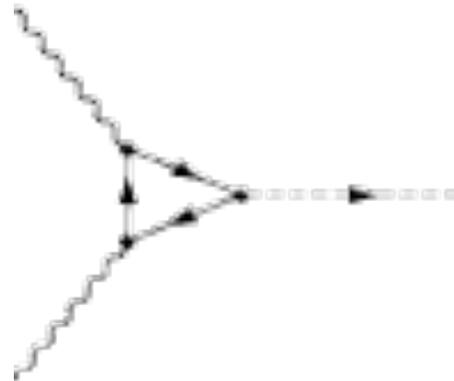
$$\Rightarrow 10^{11} \lesssim \tau_{a_n \rightarrow \gamma\gamma} \lesssim 10^{17} \text{ days}$$

$a_n \rightarrow \gamma \gamma$  is detectable

# Solar Kaluza-Klein Axions production



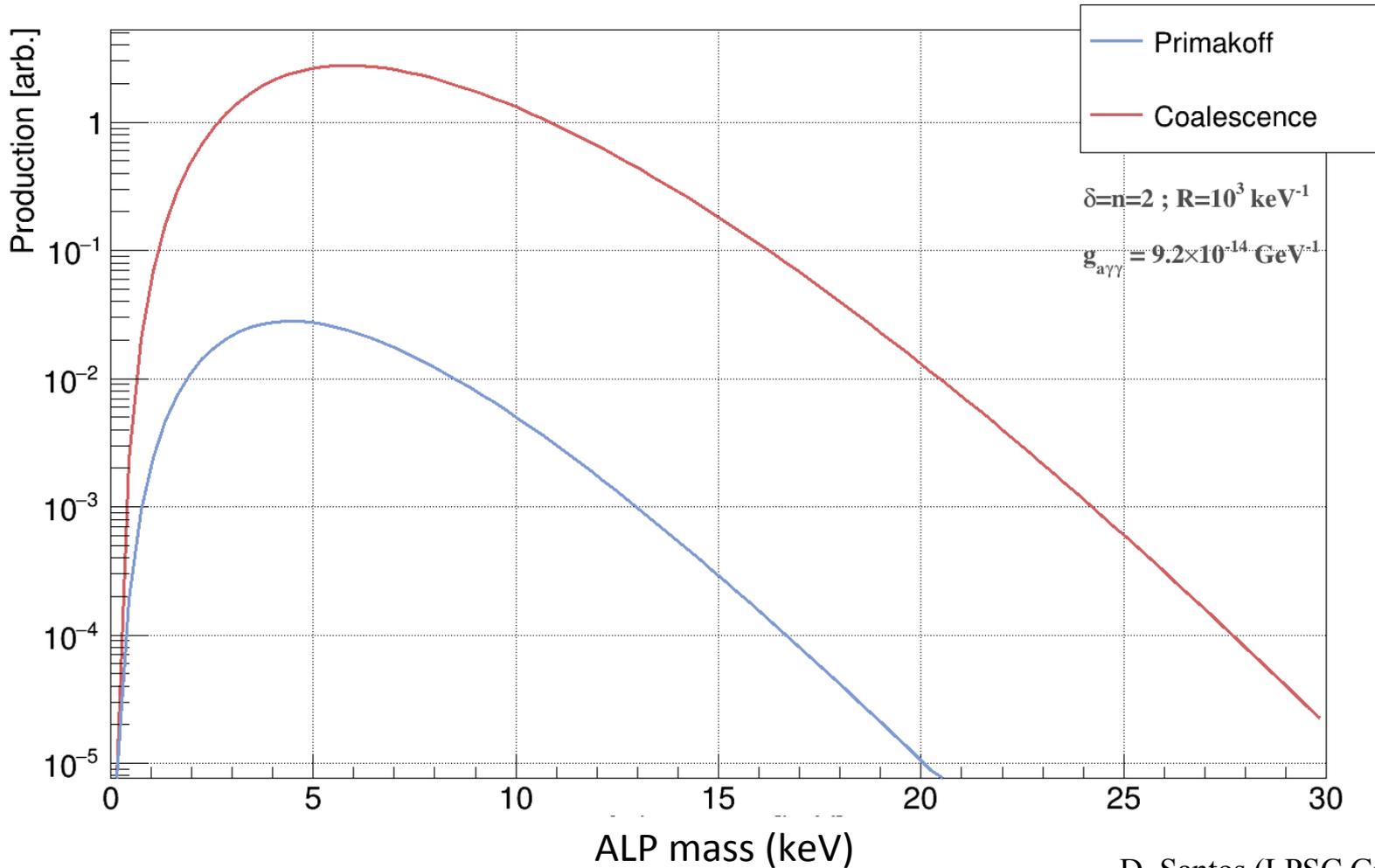
Primakoff effect



Photon Coalescence

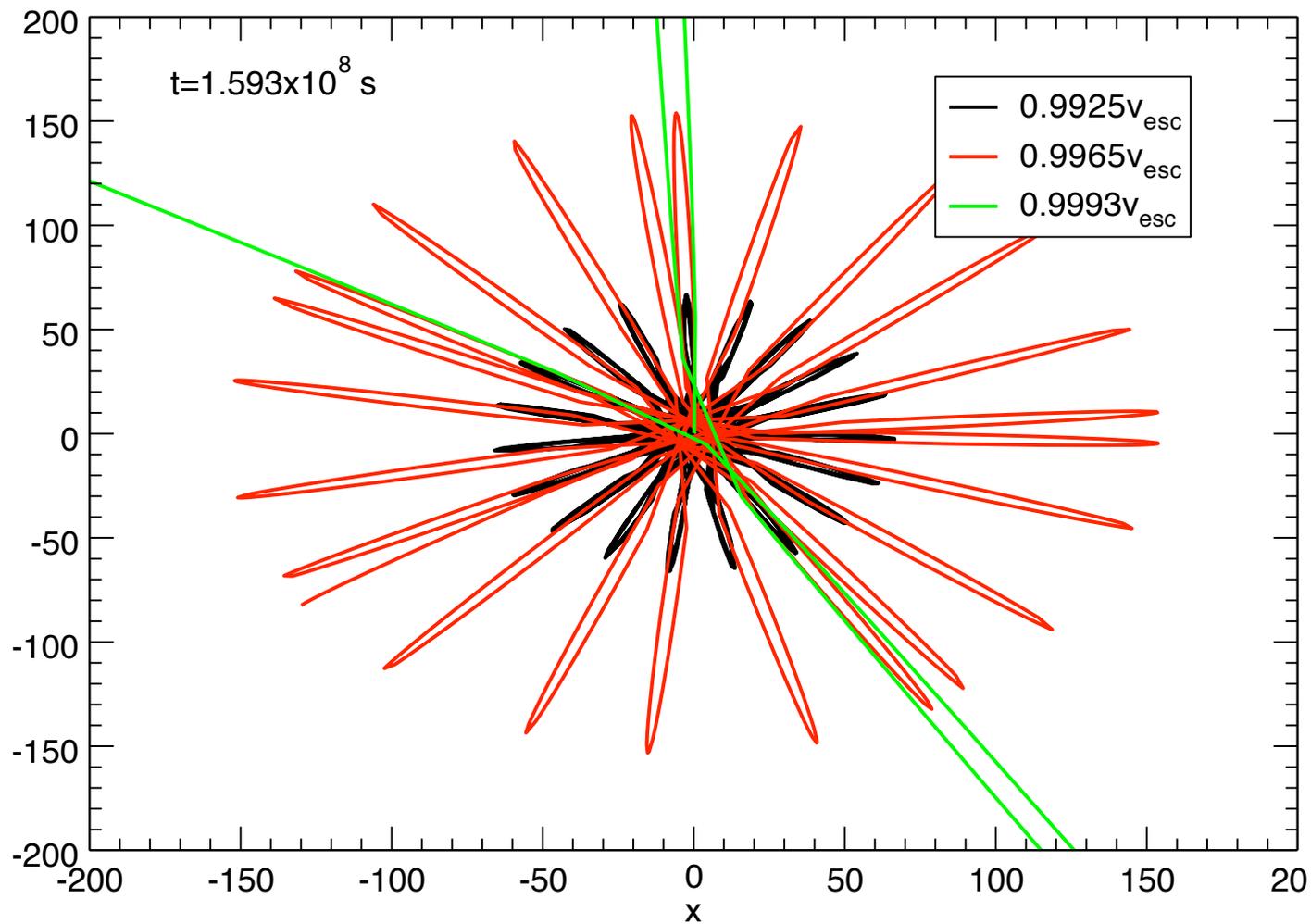
Kaluza-Klein Axions with masses between  $(1 - 30)$  keV

# Two sources of production in the Sun (Primakoff effect + photon Coalescence)

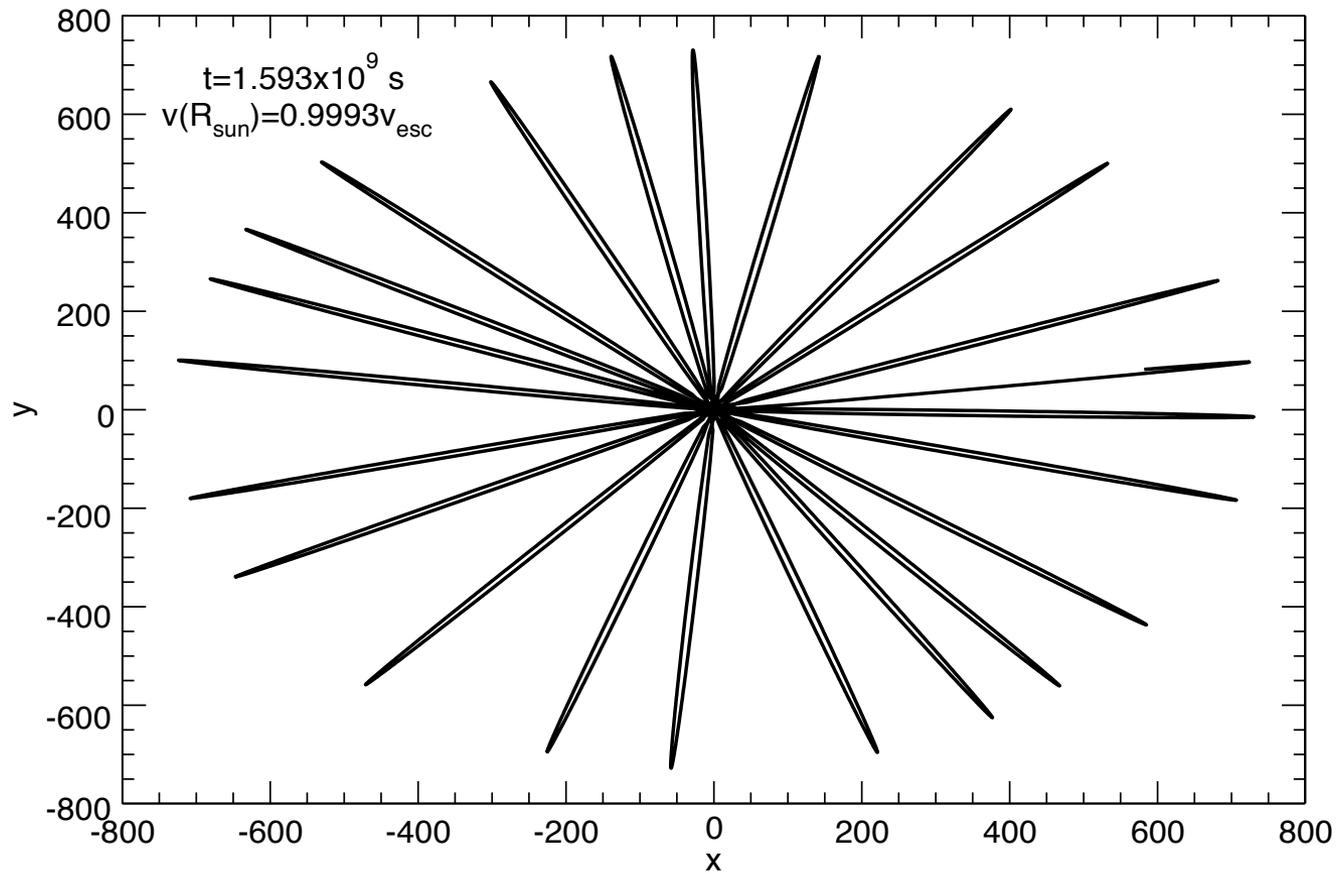


# KK- axion Orbits for different velocities

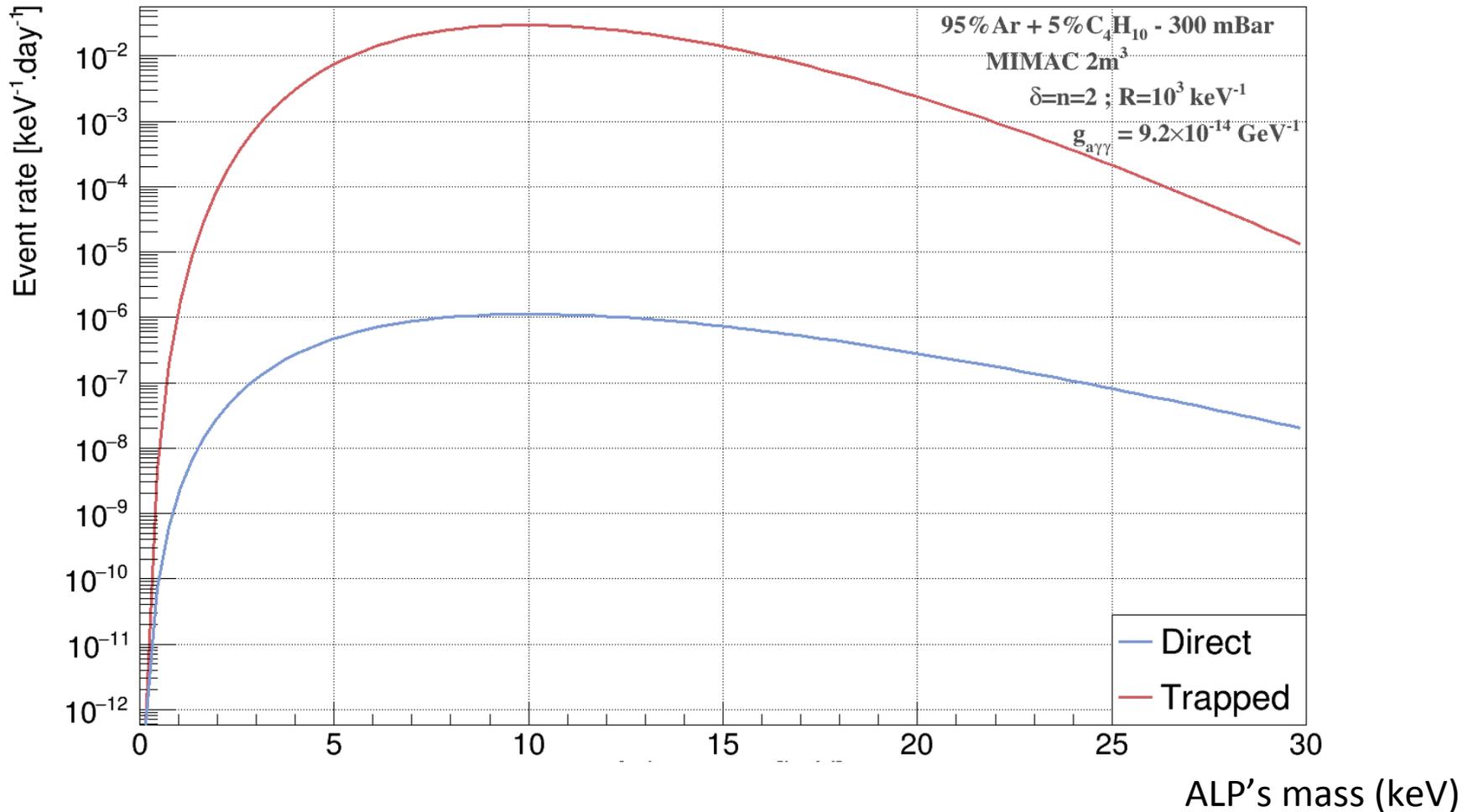
$$V_{\text{esc}} = 617 \text{ km/s}$$



# KK-axion orbits

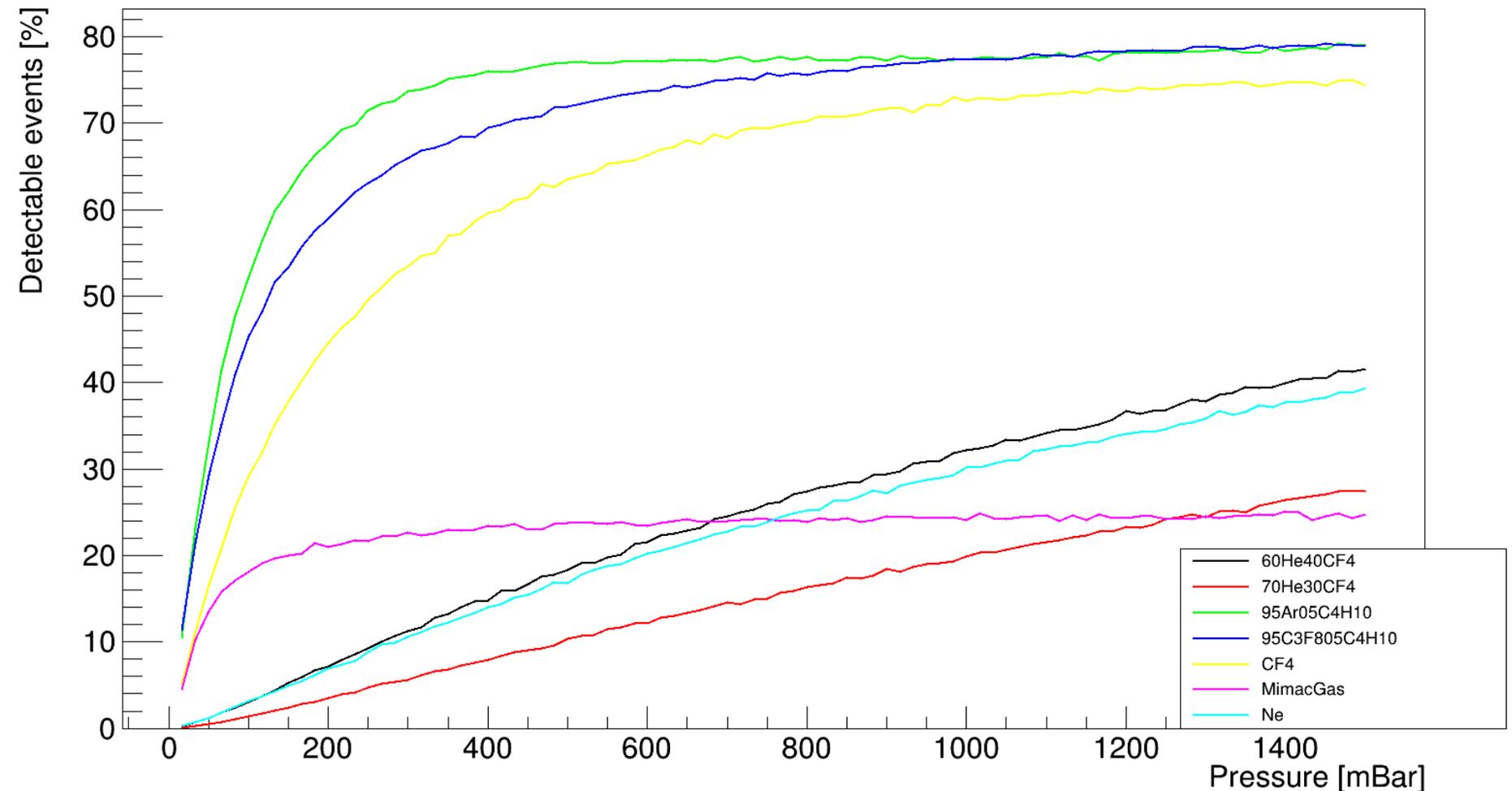


# Event rate expected from the direct flux and gravitationally trapped



# Efficiency as a function of the Gas and pressure

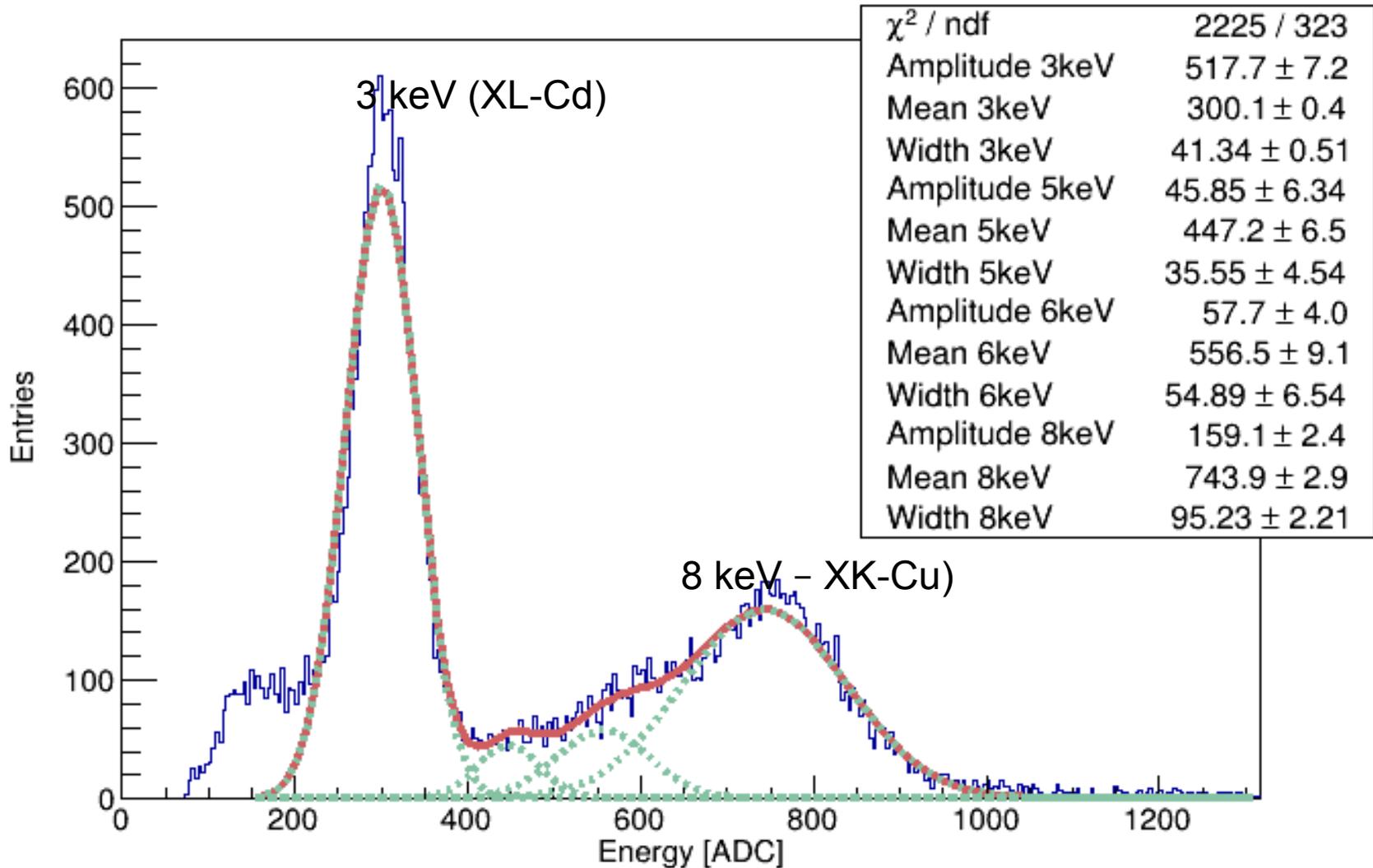
Detectable events - MC simulations  $2\text{m}^3$  (Solar KK axion model)



# X-rays calibration in $^{40}\text{Ar} + 5\% \text{C}_4\text{H}_{10}$

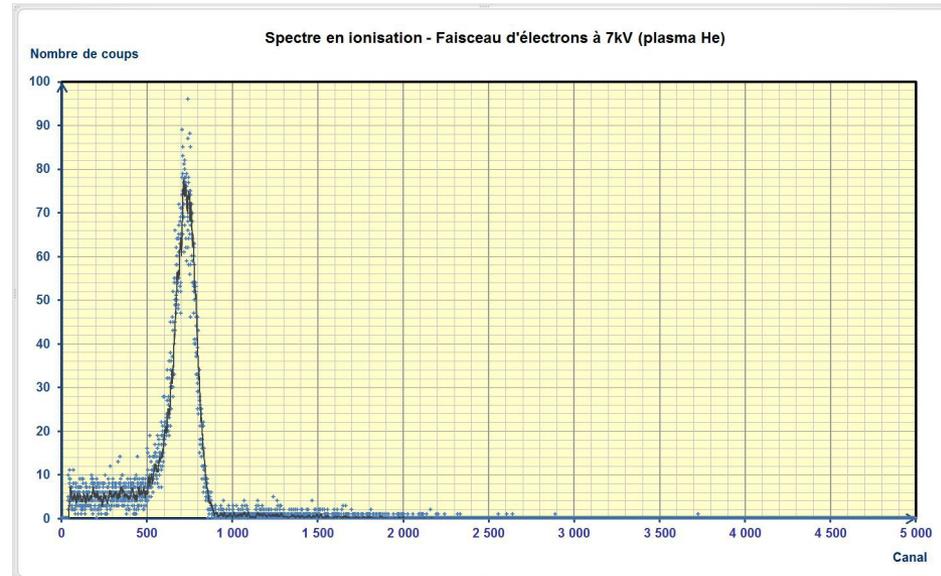
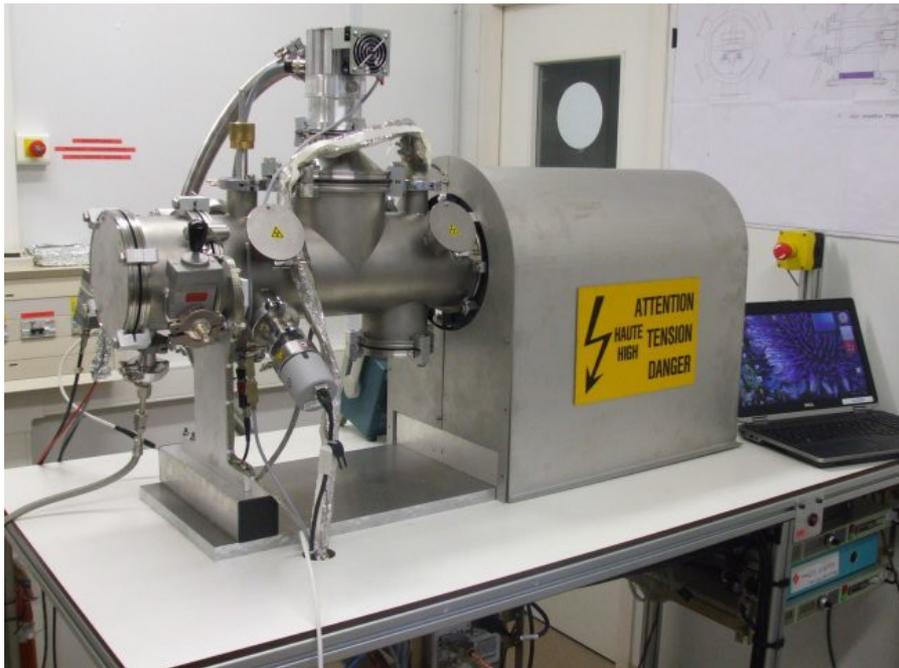
(300 mbar)

Calibration

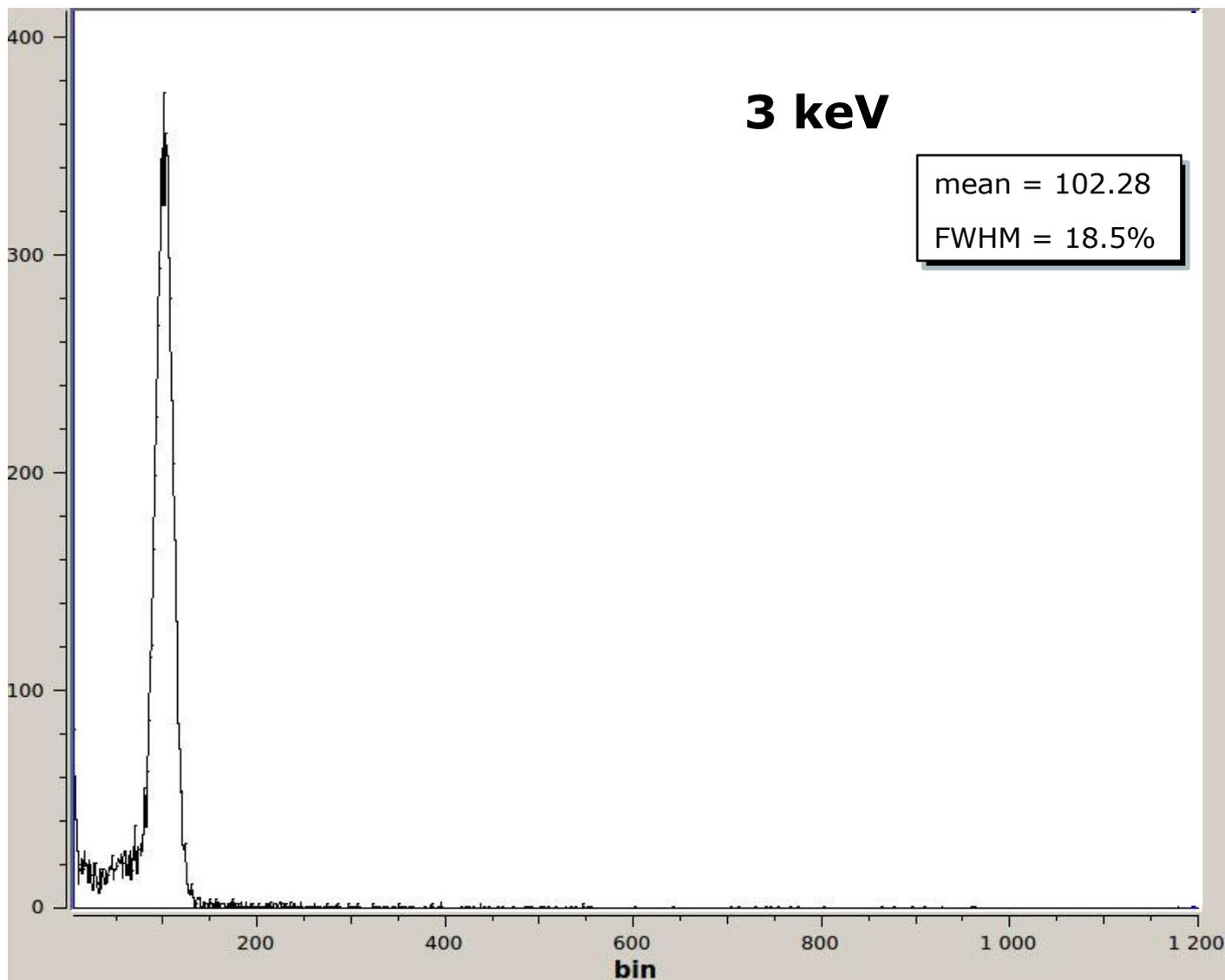


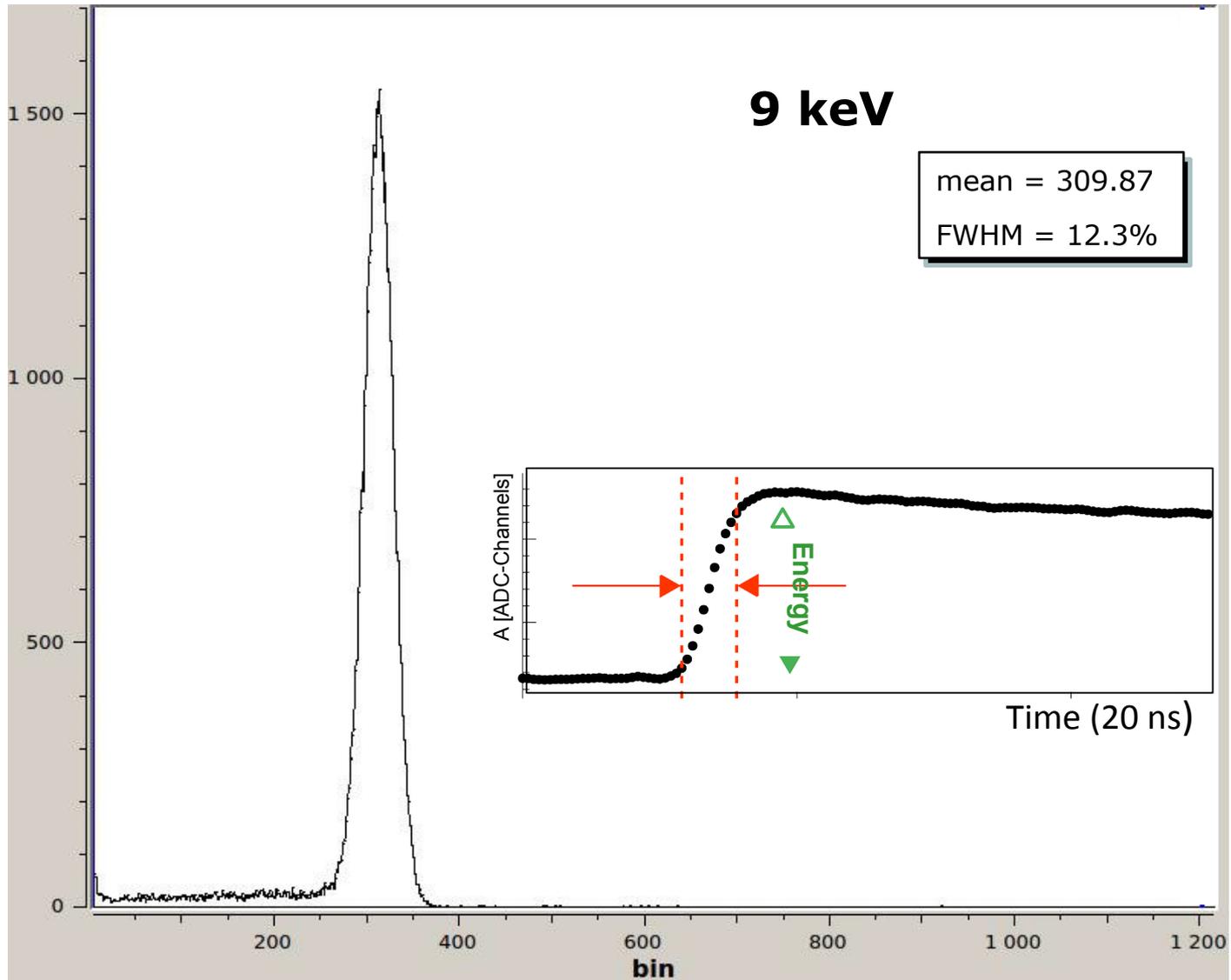
# COMIMAC

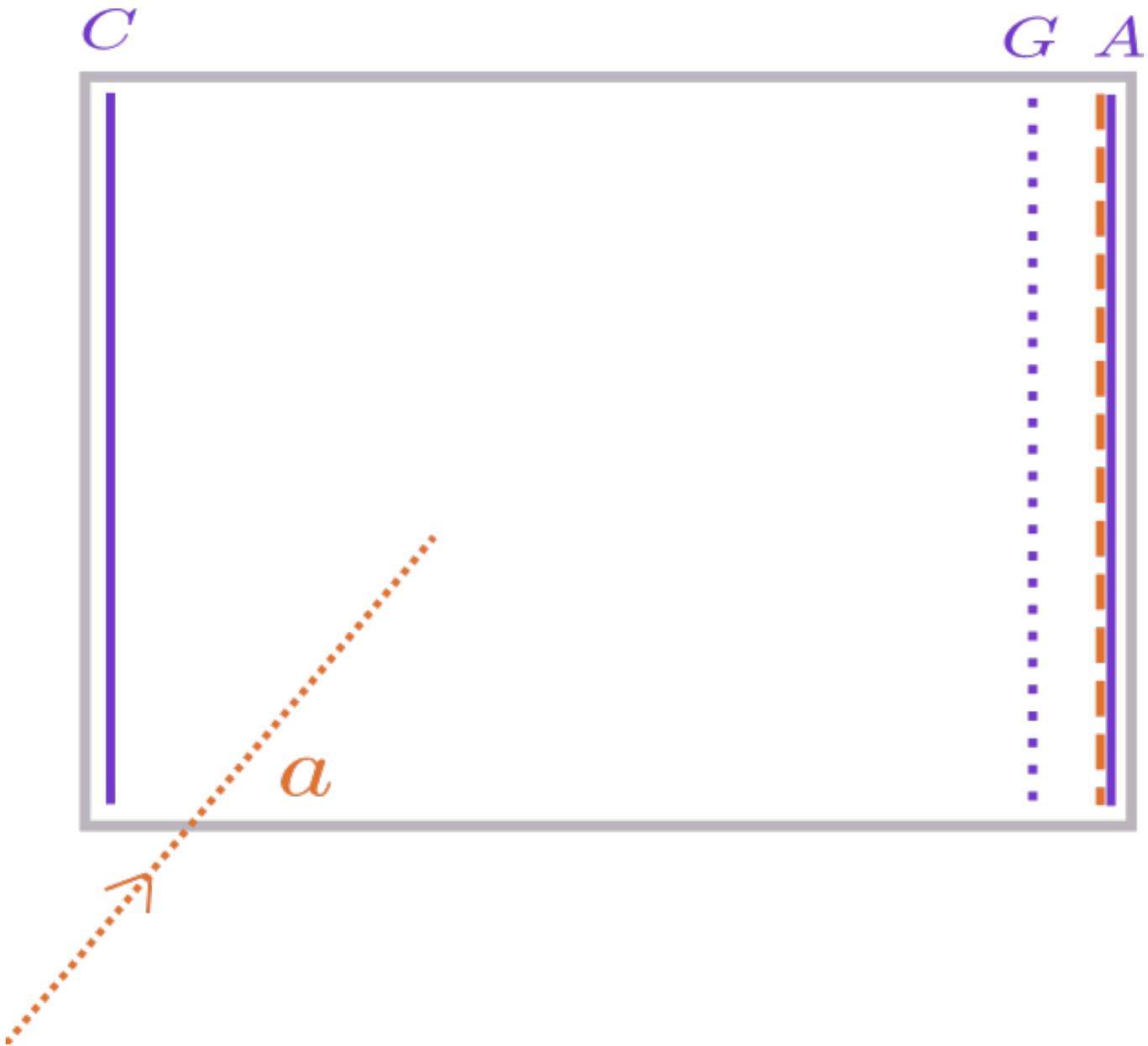
A calibration tool for gas detectors  
(Electrons and Nuclei of known kinetic energies)

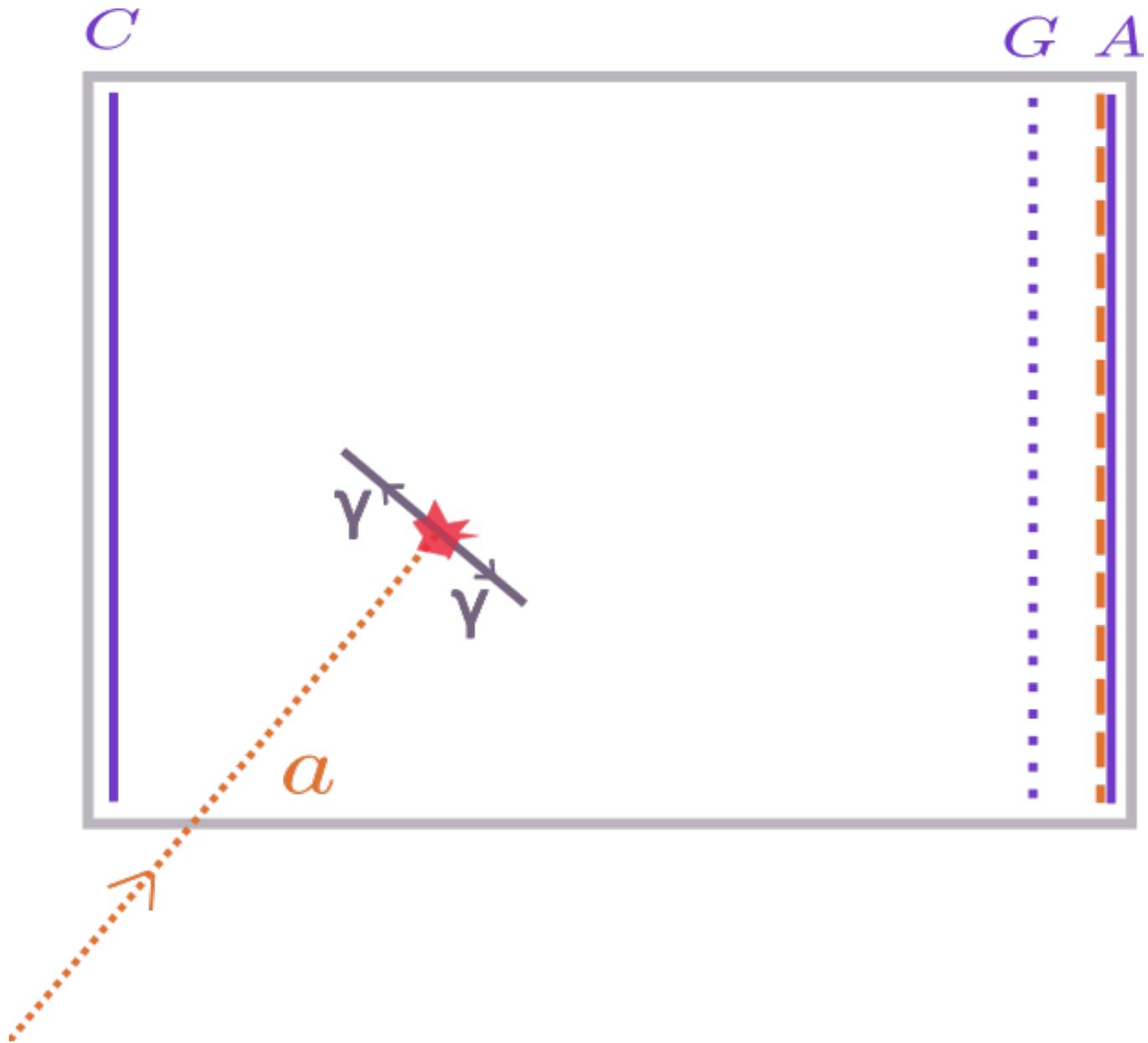


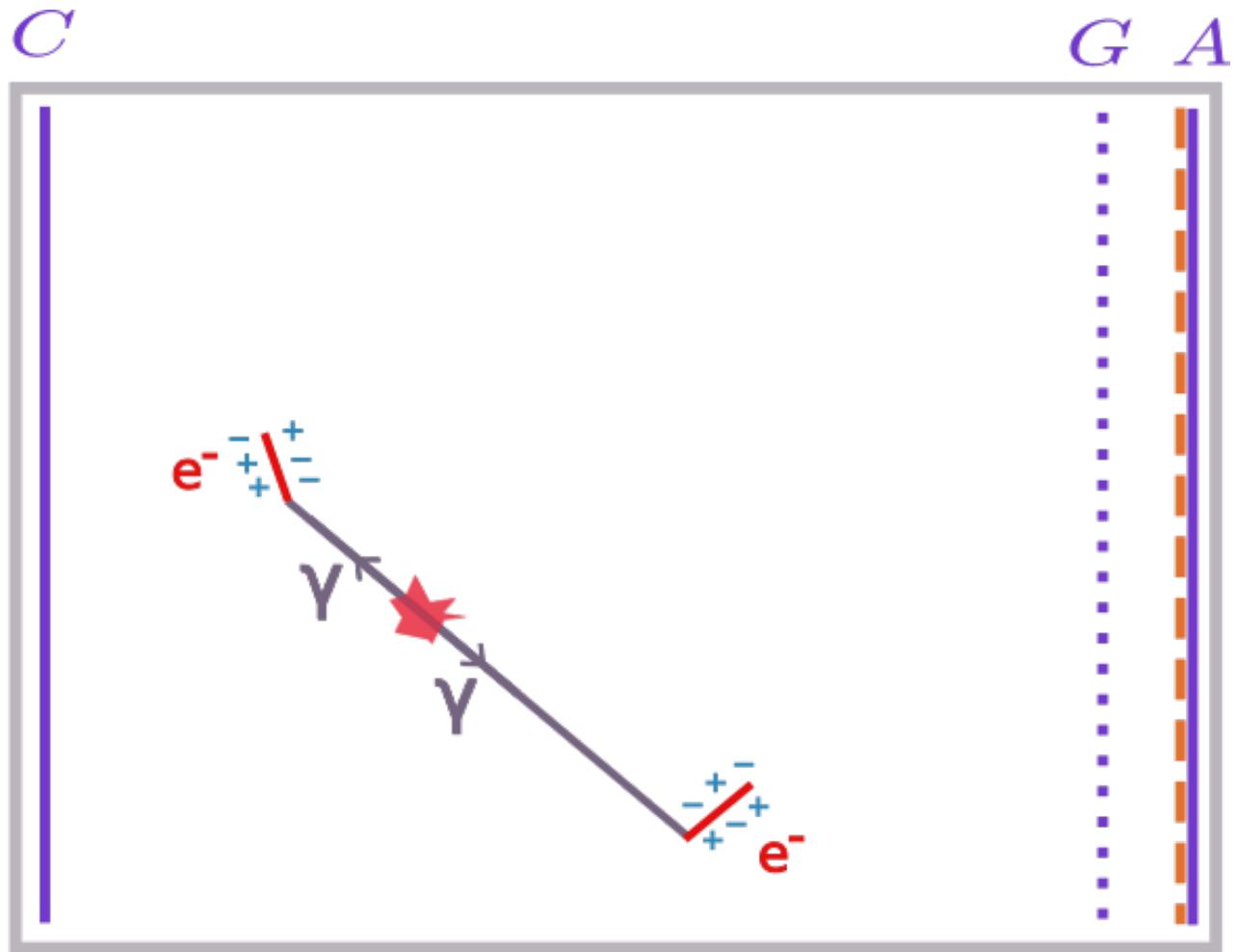
Electrons of 7 keV

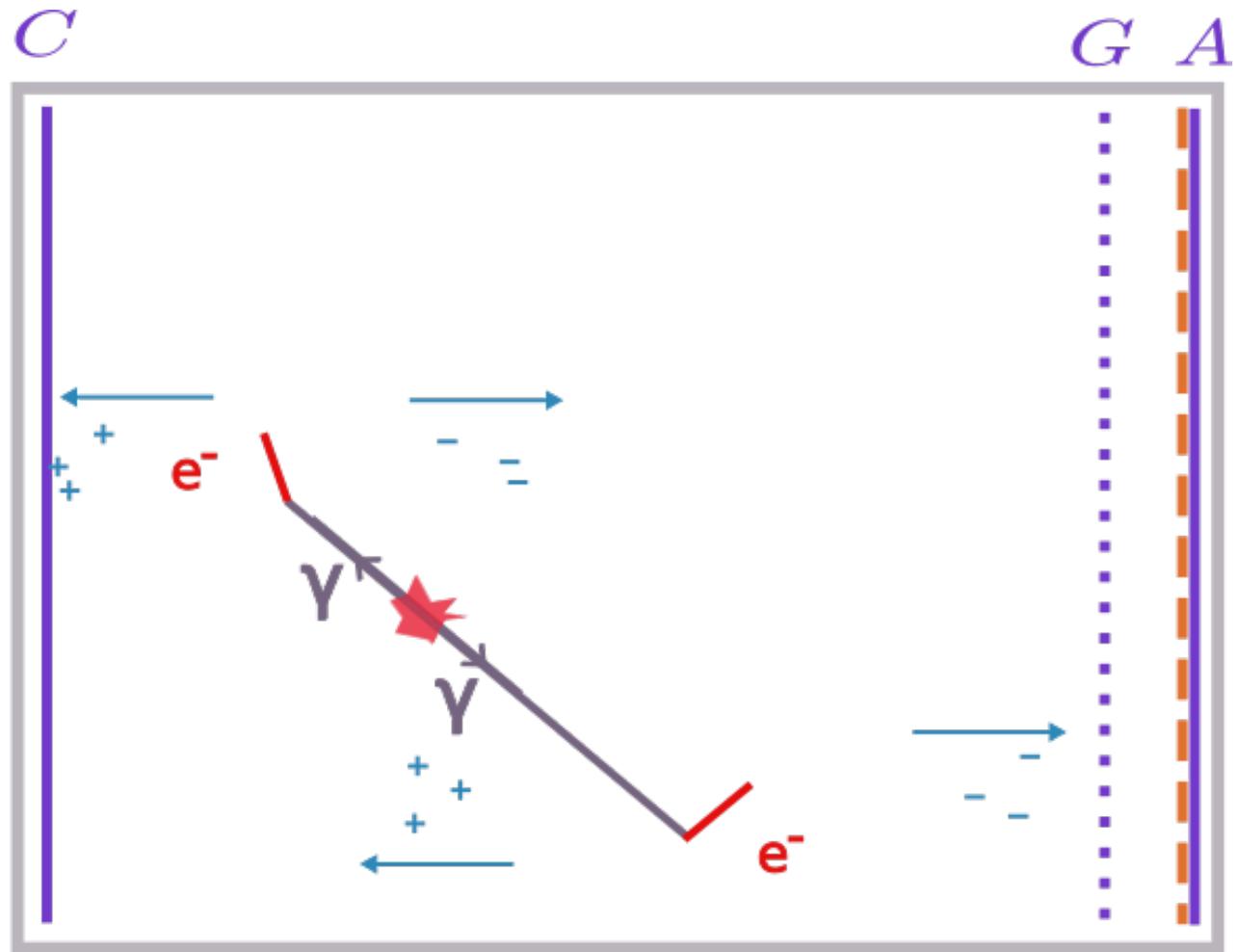


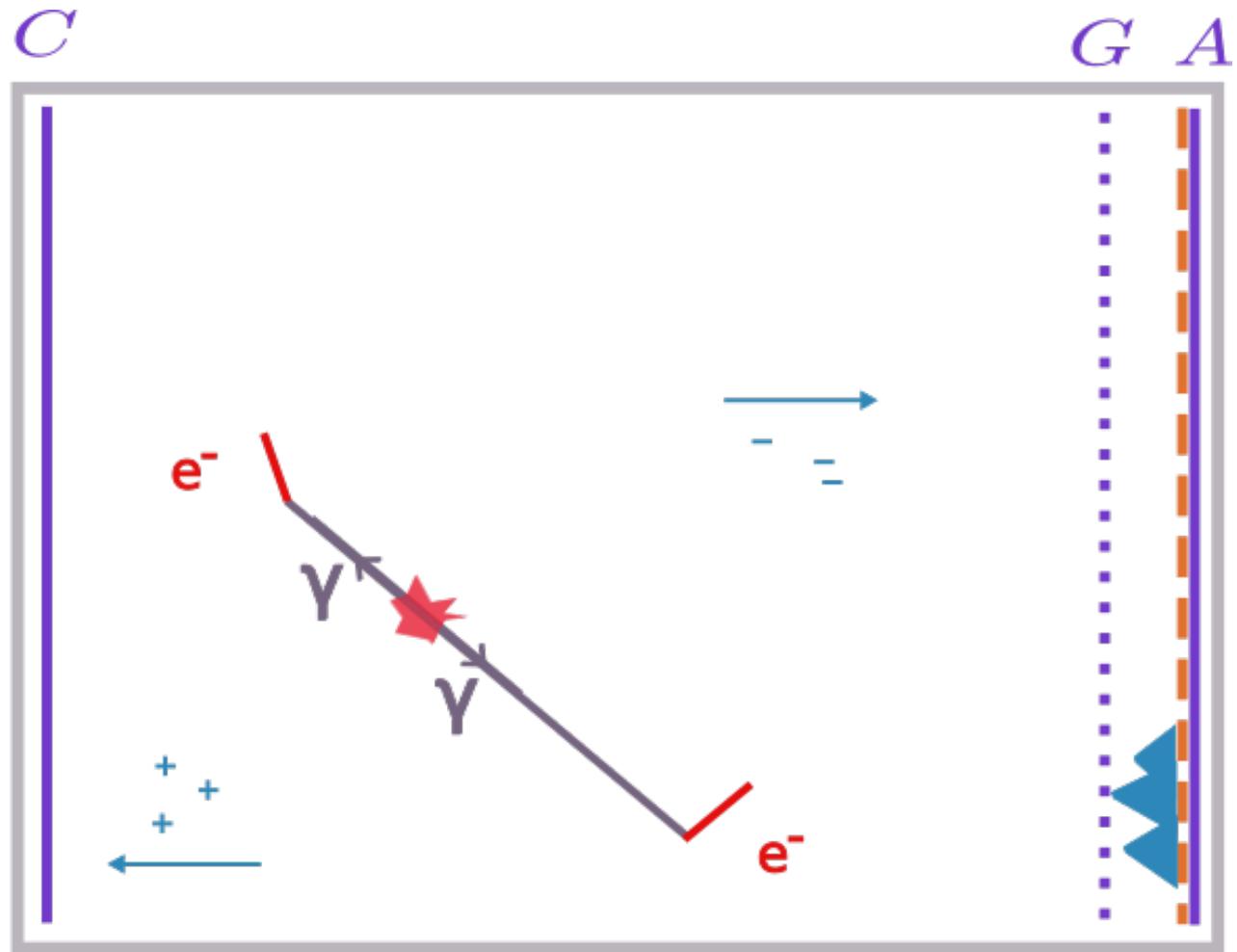


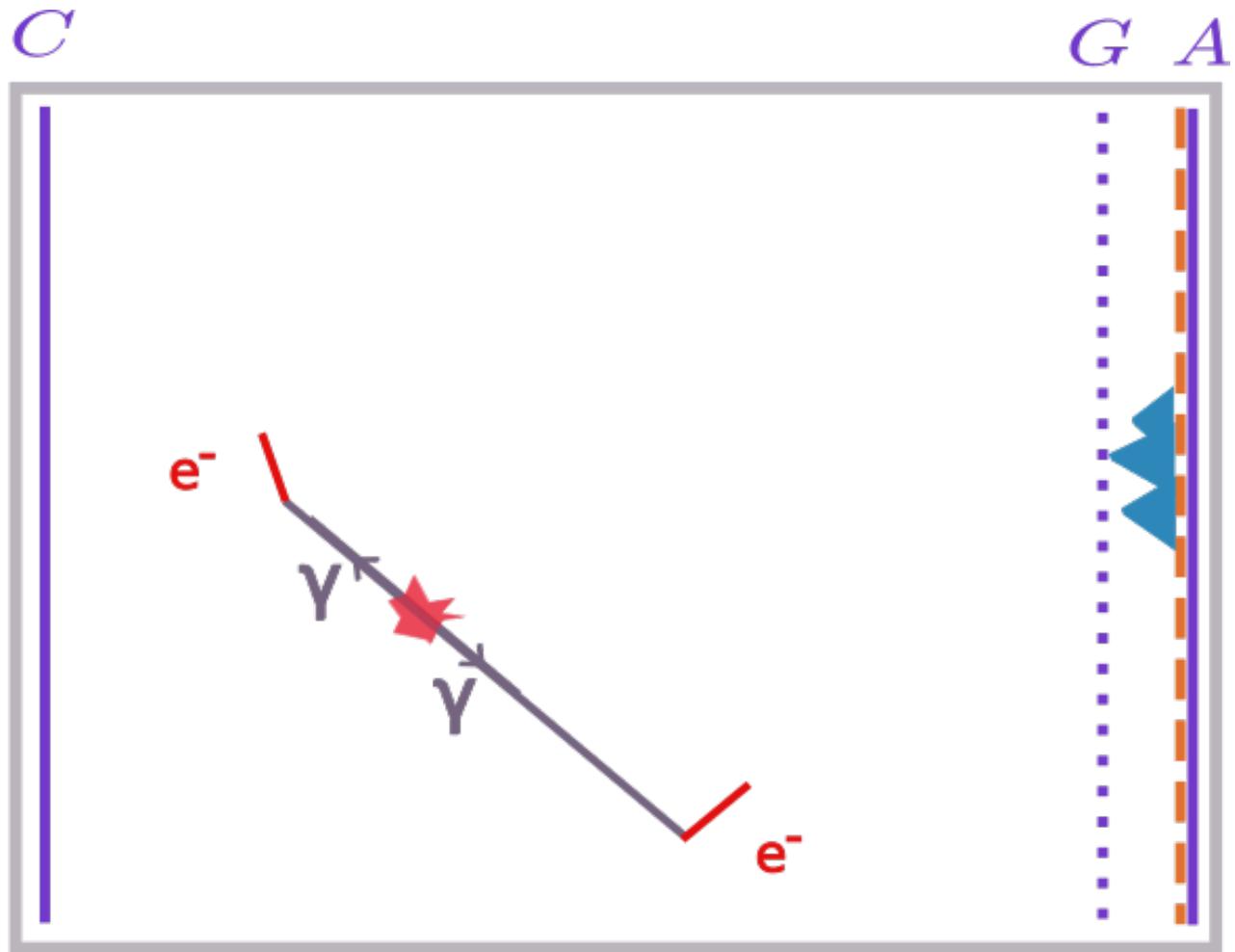




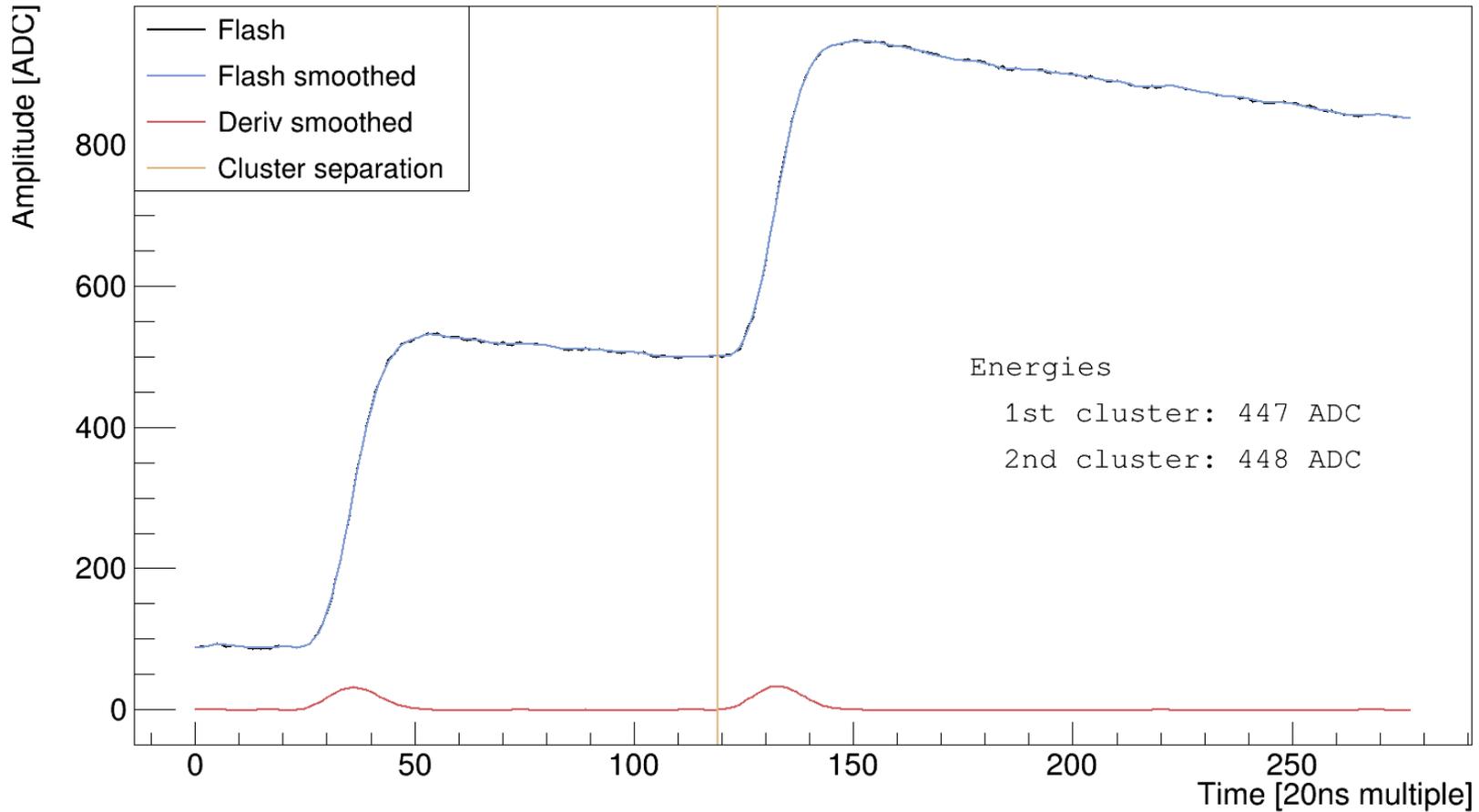




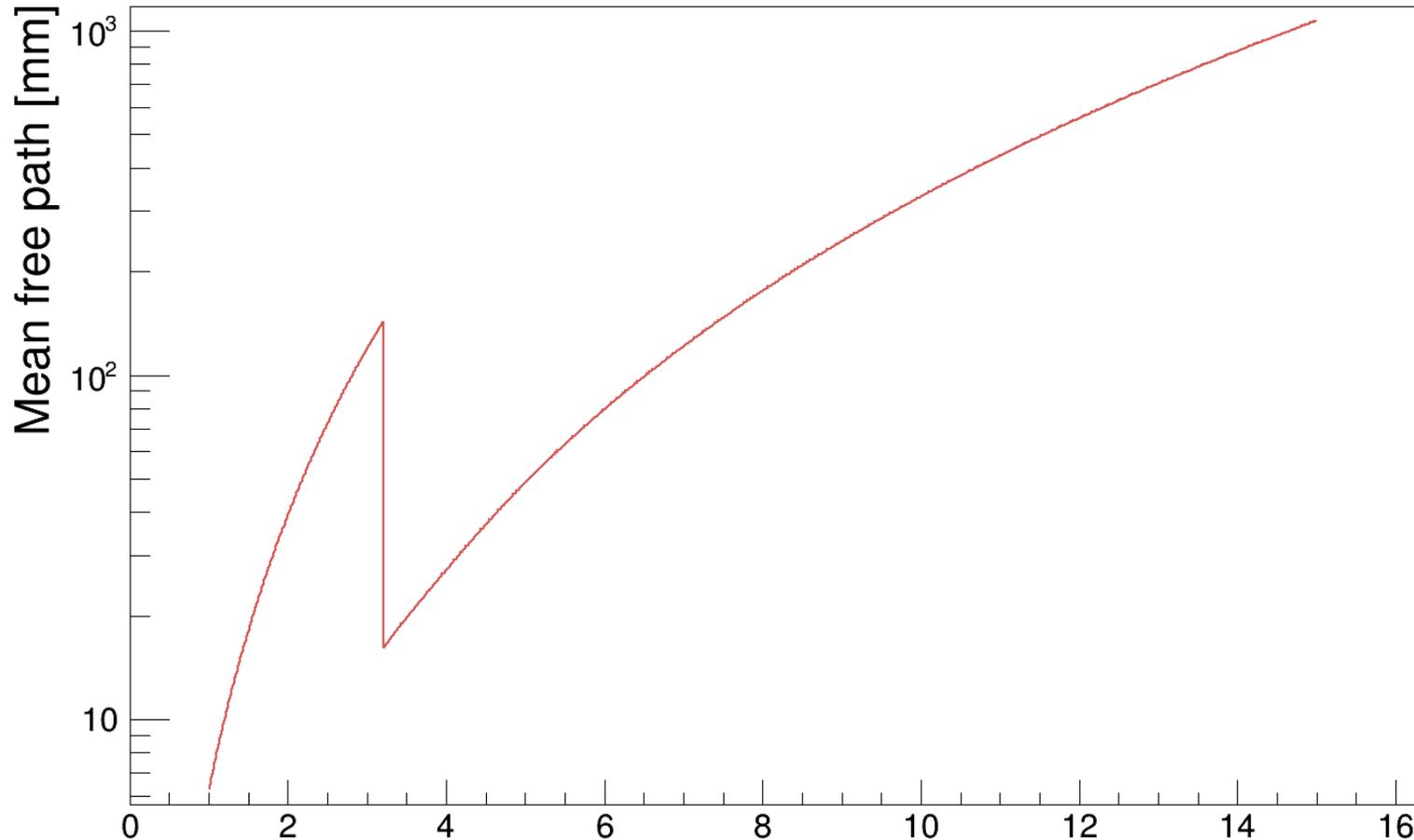




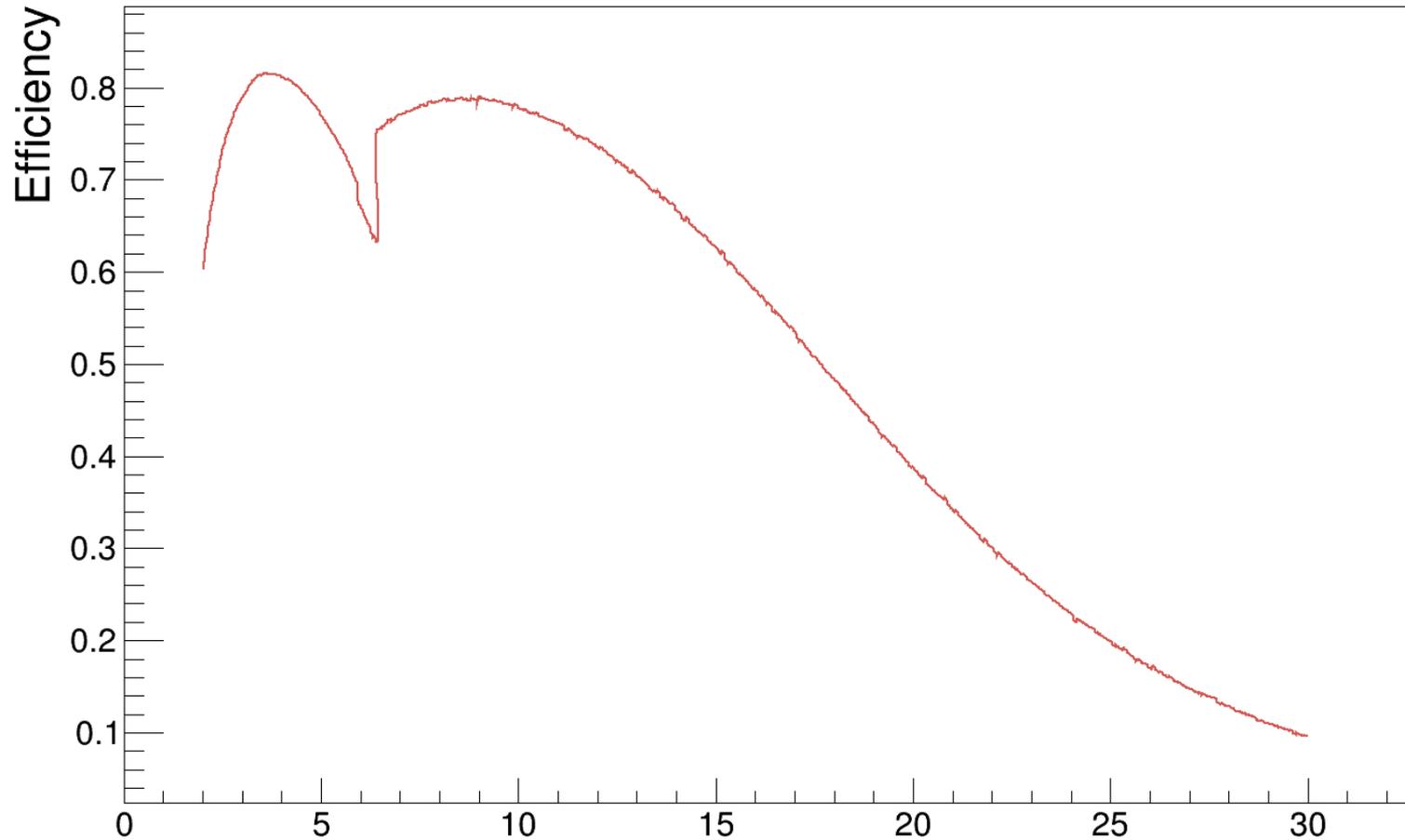
# Two $e^-$ (4 keV) sent by COMIMAC (in less than 2 $\mu$ s)



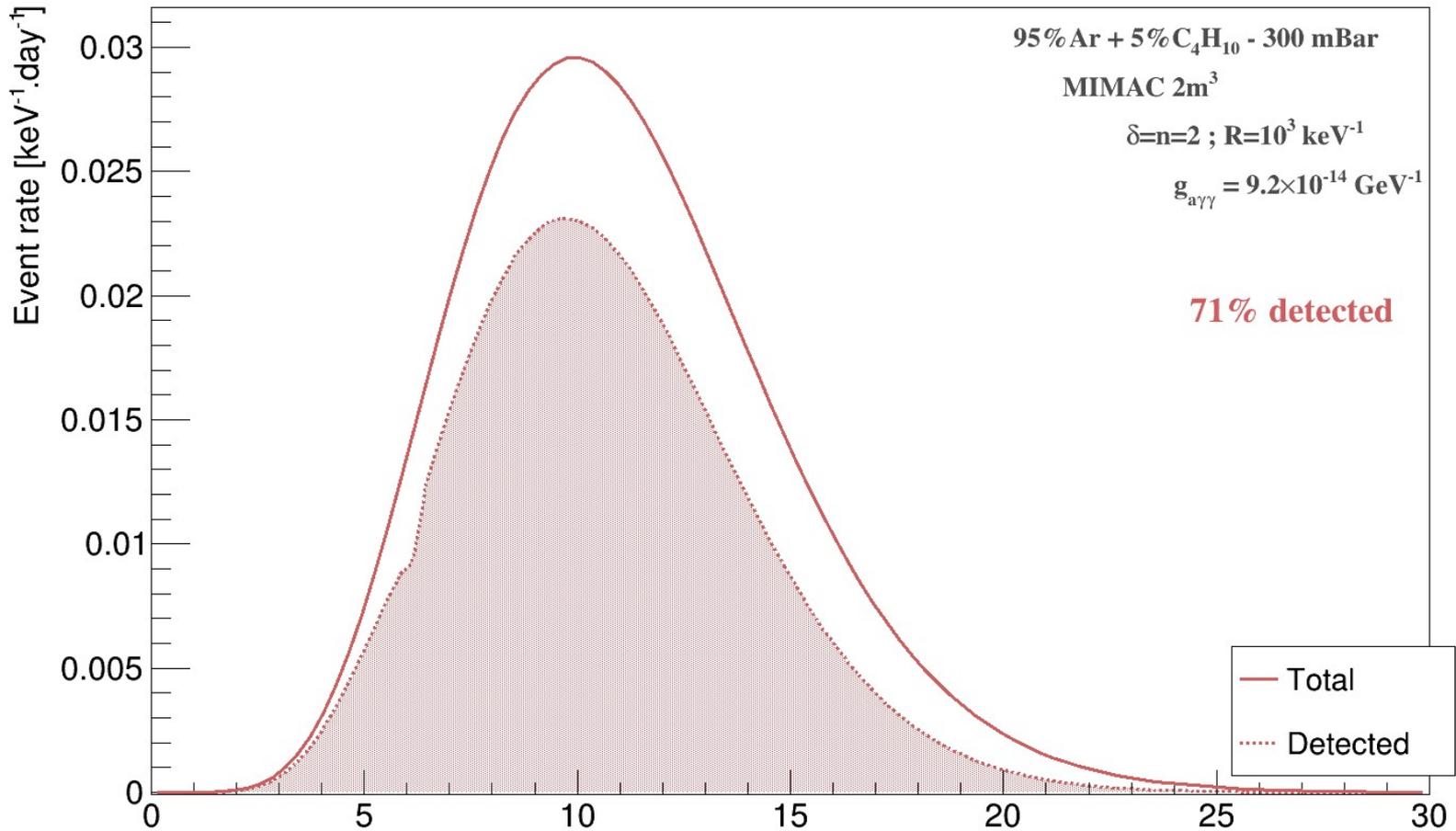
# Mean free path of photons in Ar +5% isobutane (300 mbar) as a function of their energy (keV)



# Efficiency in the Argon mixture at 300 mbar vs. KK-axion mass

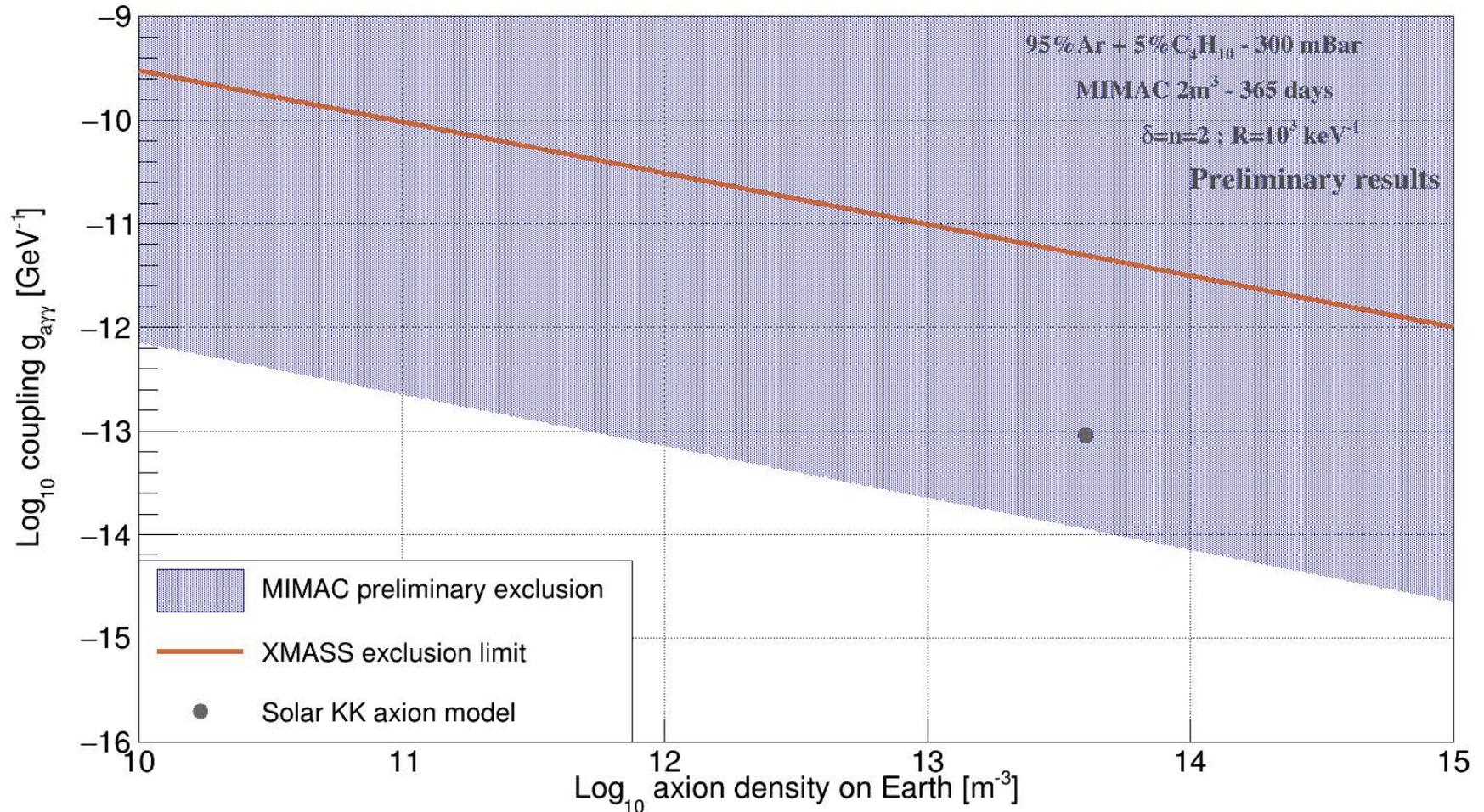


# Event rate vs. KK-axion energy

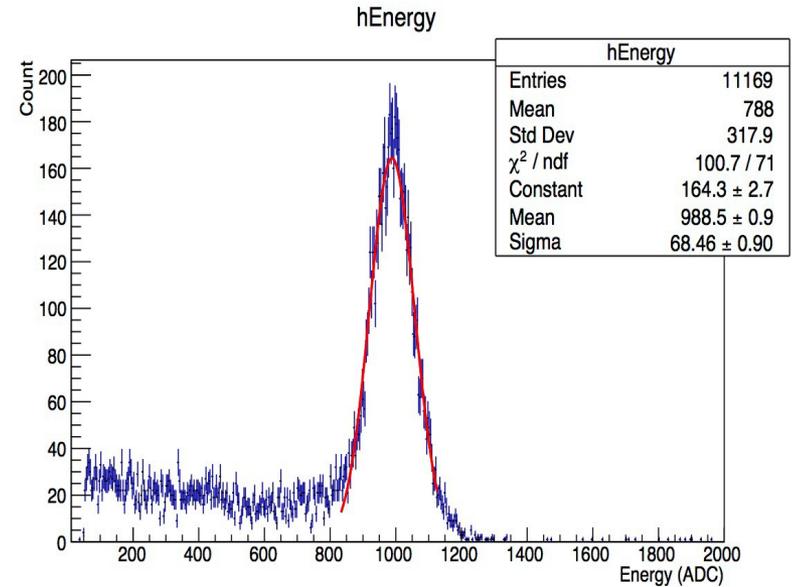
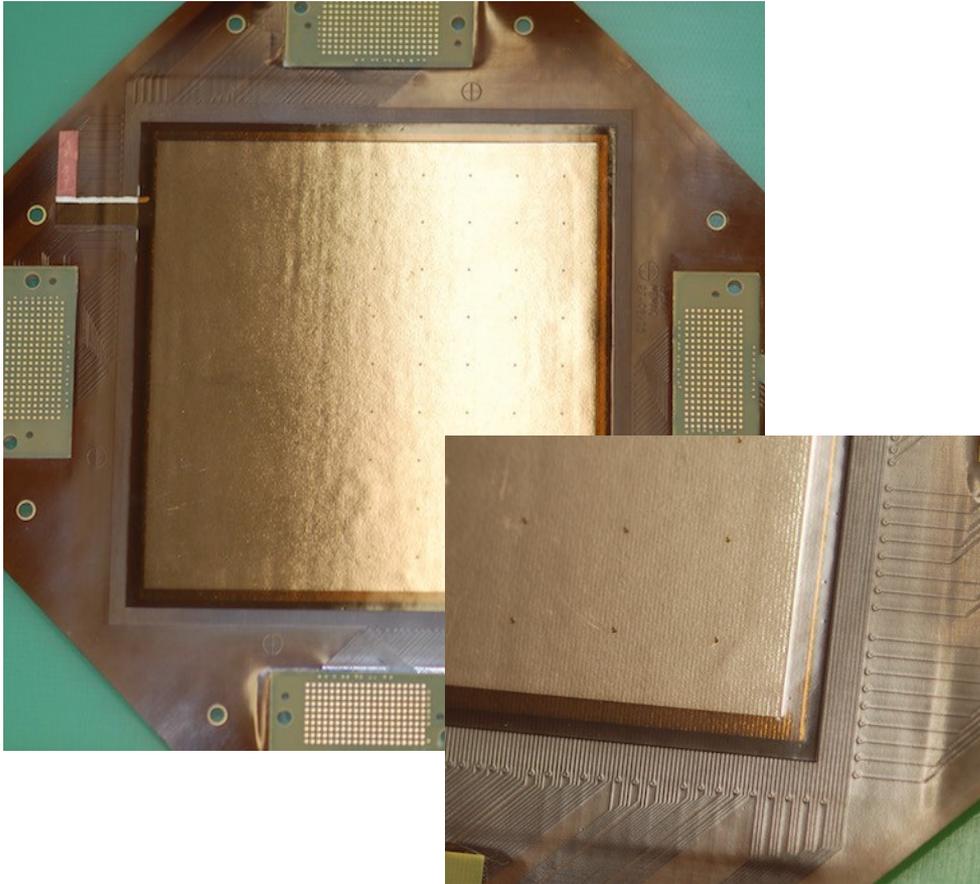


# Exclusion curves

Sensitivity to trapped axions



# New MIMAC low background detector

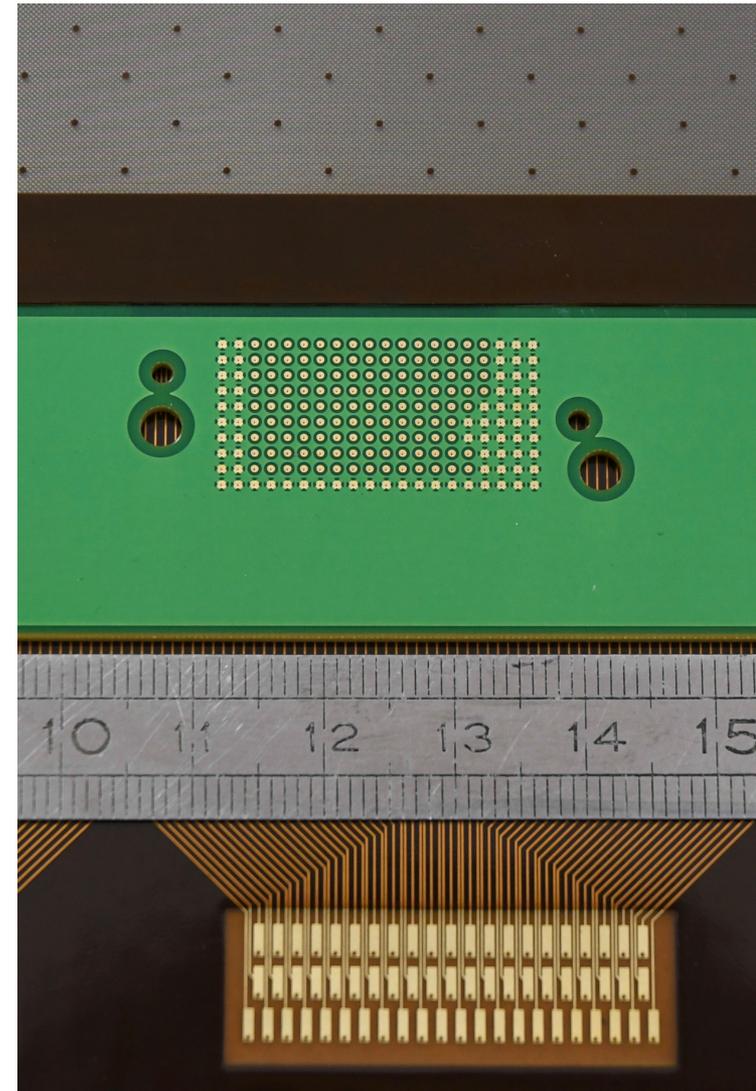
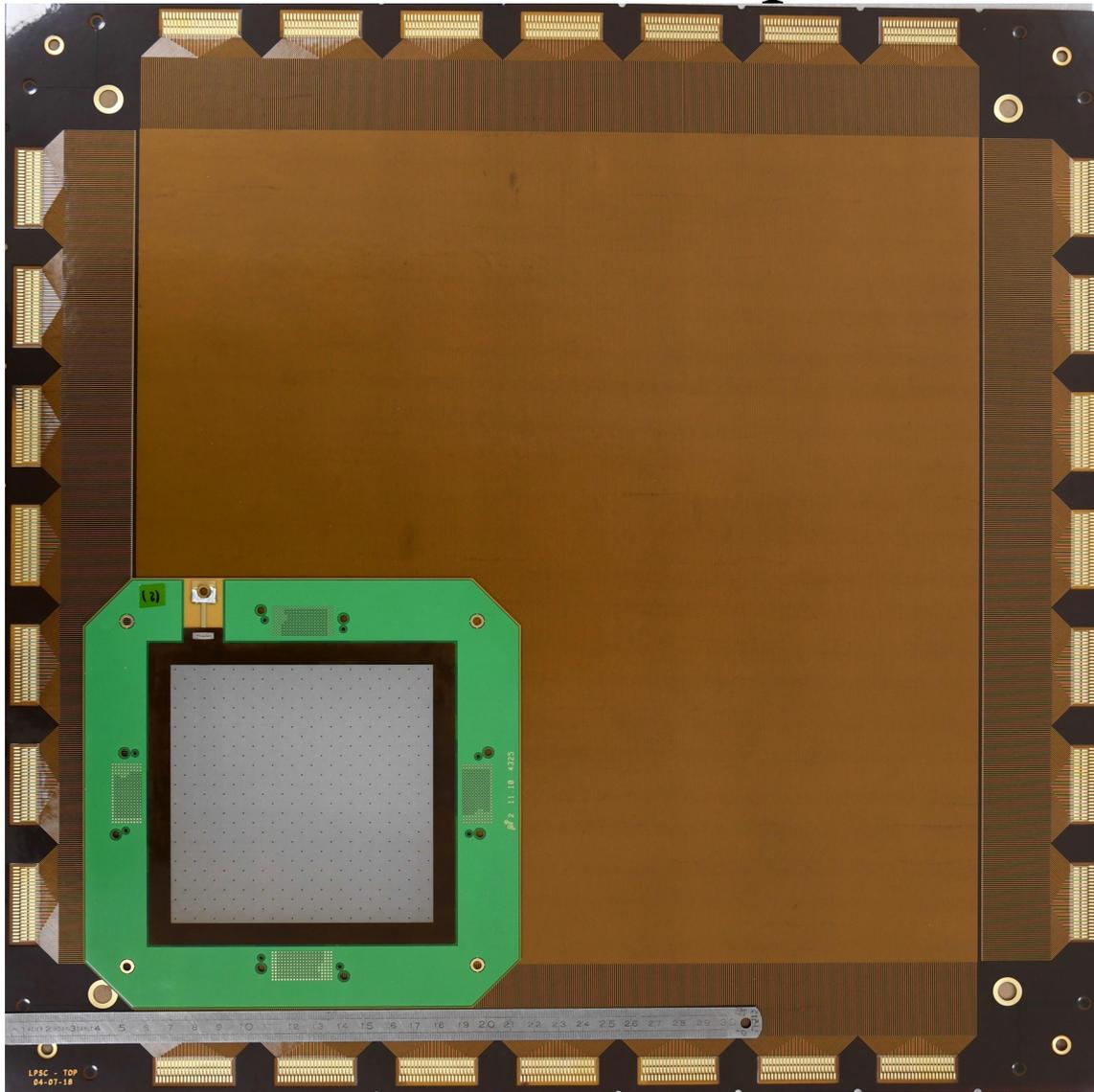


Gaz : MIMAC 50 mbar  
HT grille : -560 V  
Drift field : -150 V/cm

Kapton micromegas readout  
Piralux Pilar

16,3 % FWHM (6 keV)  
**Gain ~25 000**  
Energy threshold <1 keV  
D. Santos (LPSC Grenoble)

# The 35 cm “new technology” MIMAC detector compared to the old one



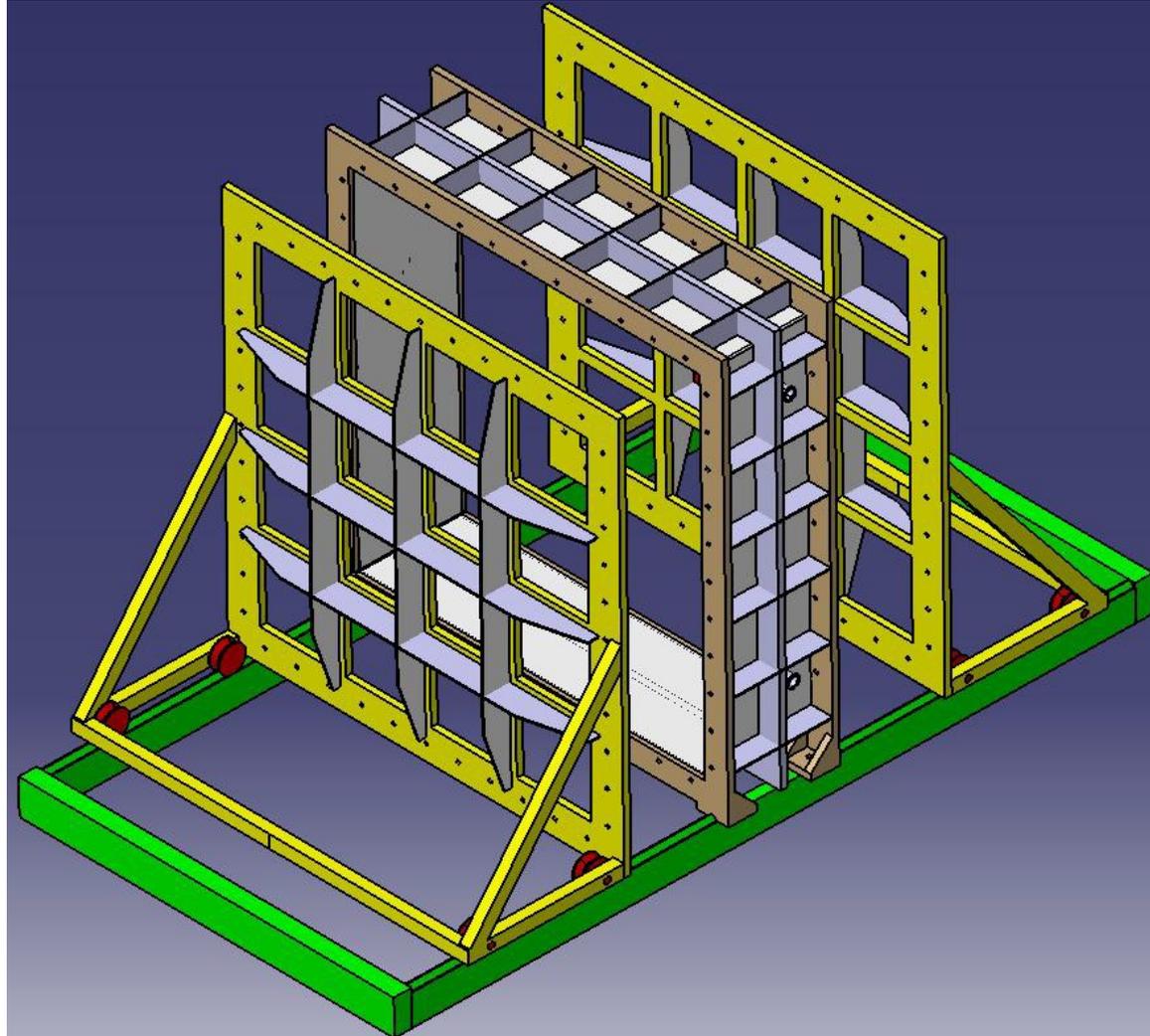
MIMAC –  $2\text{m}^3 = 16$  bi-chamber modules ( $2 \times 35 \times 35 \times 52 \text{ cm}^3$ )

New technology anode  
 $35\text{cm} \times 35\text{cm}$

Stretched thin ( $12 \text{ }\mu\text{m}$ ) grid at  
 $512\text{ }\mu\text{m}$ .

New electronic board (1792  
channels)

Only one big chamber



# Conclusions

- A new directional detector of nuclear recoils at low energies has been developed giving a lot of flexibility on targets, pressure, energy range...
- MIMAC with its 3D tracks at high spatial resolution opens a new window in the exploration of rare events !
- MIMAC-2m3 will explore ALPs and compactified dimensions
- At the same time the low energy H “recoils” from the  $C_4H_{10}$  will be “3D tracked” exploring the low mass directional WIMP detection.